

```

In[ ]:= a01 = y^3 - x^{28} z;
MonomialList[a01, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{y^3, -x^{28} z}}

In[ ]:= b01 = z^2 - x^{47} y;
MonomialList[b01, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{z^2, -x^{47} y}}

In[ ]:= c01 = y^2 z - x^{75};
MonomialList[c01, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{y^2 z, -x^{75}}}

In[ ]:= d02 = PolynomialMod[Expand[(y a01 b01 - c01^2) / x^{28}], 2];
|_多項式の法 |_展開
MonomialList[d02, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{y z^3, x^{19} y^5, x^{47} y^2 z, x^{122}}}

In[ ]:= d03 = PolynomialMod[Expand[(c01 d02 - a01 b01^2) / x^{19}], 2];
|_多項式の法 |_展開
MonomialList[d03, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{y^7 z, x^9 z^5, x^{28} y^4 z^2, x^{56} y z^3, x^{103} y^2 z, x^{178}}}

In[ ]:= d04 = PolynomialMod[Expand[(b01 d03 - a01^2 d02) / x^9], 2];
|_多項式の法 |_展開
MonomialList[d04, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{z^7, x^{10} y^{11}, x^{19} y^4 z^4, x^{47} y z^5, x^{94} y^2 z^3, x^{113} y^6, x^{141} y^3 z, x^{216} y}}

In[ ]:= d07 = PolynomialMod[Expand[(d02^2 d03 - a01^3 d04) / x^9], 2];
|_多項式の法 |_展開
MonomialList[d07, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{y^2 z^{11}, x y^{20}, x^{10} y^{13} z^4, x^{38} y^{10} z^5, x^{75} z^{10}, x^{104} y^{15},
x^{122} y z^8, x^{132} y^{12} z, x^{188} y^6 z^3, x^{216} y^3 z^4, x^{244} z^5, x^{263} y^4 z^2, x^{338} y^2 z, x^{413}}}

In[ ]:= d09 = PolynomialMod[Expand[(a01^2 d07 - d02 d03 d04) / x], 2];
|_多項式の法 |_展開
MonomialList[d09, Reverse[{y, z, x}], "NegativeLexicographic"]
|_単項式リスト |_反転
Out[ ]:= {{y^{26}, x^8 y z^{15}, x^{18} y^{12} z^8, x^{27} y^5 z^{12}, x^{28} y^{23} z, x^{46} y^9 z^9, x^{56} y^{20} z^2, x^{74} y^6 z^{10}, x^{102} y^3 z^{11}, x^{103} y^{21},
x^{196} y^5 z^7, x^{206} y^{16}, x^{215} y^9 z^4, x^{234} y^{13} z, x^{262} y^{10} z^2, x^{290} y^7 z^3, x^{412} y^6, x^{440} y^3 z, x^{468} z^2, x^{515} y}}

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In[*]:= d15 = PolynomialMod[Expand[(d03 d04^3 - a01 d07^2) / x^2], 2];
```

多項式の法

展開

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MonomialList[d15, Reverse[{y, z, x}], "NegativeLexicographic"]
```

単項式リスト

反転

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Out[*]:= {{y^43, x^7 z^26, x^8 y^18 z^15, x^26 y^4 z^23, x^27 y^22 z^12, x^45 y^8 z^20, x^56 y^37 z^2, x^64 y^12 z^17, x^84 y^34 z^3,
x^102 y^20 z^11, x^112 y^31 z^4, x^120 y^6 z^19, x^121 y^24 z^8, x^139 y^10 z^16, x^140 y^28 z^5, x^168 y^25 z^6, x^195 y^4 z^18,
x^215 y^26 z^4, x^224 y^19 z^8, x^252 y^16 z^9, x^280 y^13 z^10, x^290 y^24 z^3, x^308 y^10 z^11, x^309 y^28, x^336 y^7 z^12,
x^364 y^4 z^13, x^383 y^8 z^10, x^392 y z^14, x^402 y^12 z^7, x^421 y^16 z^4, x^439 y^2 z^12, x^440 y^20 z, x^496 y^14 z^3,
x^514 z^11, x^515 y^18, x^533 y^4 z^8, x^571 y^12 z^2, x^608 y^2 z^7, x^627 y^6 z^4, x^702 y^4 z^3, x^721 y^8, x^852 z}}
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In[*]:= d25 = PolynomialMod[Expand[(d02 d03^3 d07^2 - d04^4 d09) / x^2], 2];
```

多項式の法

展開

```
MonomialList[d25, Reverse[{y, z, x}], "NegativeLexicographic"]
```

単項式リスト

反転

```
Out[*]:= {{y^62 z^6, x^6 y z^43, x^7 y^19 z^32, x^9 y^55 z^10, x^17 y^30 z^25, x^19 y^66 z^3, x^26 y^23 z^29, x^35 y^16 z^33, x^36 y^34 z^22,
x^38 y^70, x^44 y^9 z^37, x^45 y^27 z^26, x^46 y^45 z^15, x^55 y^38 z^19, x^63 y^13 z^34, x^66 y^67 z, x^72 y^6 z^38,
x^73 y^24 z^27, x^74 y^42 z^16, x^75 y^60 z^5, x^82 y^17 z^31, x^84 y^53 z^9, x^94 y^64 z^2, x^100 y^3 z^39, x^101 y^21 z^28,
x^102 y^39 z^17, x^110 y^14 z^32, x^111 y^32 z^21, x^119 y^7 z^36, x^120 y^25 z^25, x^121 y^43 z^14, x^130 y^36 z^18,
x^140 y^47 z^11, x^141 y^65, x^147 y^4 z^37, x^157 y^15 z^30, x^166 y^8 z^34, x^175 y z^38, x^176 y^19 z^27, x^177 y^37 z^16,
x^187 y^48 z^9, x^197 y^59 z^2, x^205 y^34 z^17, x^213 y^9 z^32, x^214 y^27 z^21, x^223 y^20 z^25, x^233 y^31 z^18, x^234 y^49 z^7,
x^241 y^6 z^33, x^243 y^42 z^11, x^244 y^60, x^261 y^28 z^19, x^270 y^21 z^23, x^272 y^57 z, x^279 y^14 z^27, x^280 y^32 z^16,
x^289 y^25 z^20, x^297 z^35, x^308 y^29 z^17, x^309 y^47 z^6, x^316 y^4 z^32, x^328 y^51 z^3, x^345 y^19 z^22, x^364 y^23 z^19,
x^365 y^41 z^8, x^375 y^52 z, x^393 y^38 z^9, x^401 y^13 z^24, x^402 y^31 z^13, x^411 y^24 z^17, x^421 y^35 z^10, x^429 y^10 z^25,
x^431 y^46 z^3, x^438 y^3 z^29, x^448 y^14 z^22, x^449 y^32 z^11, x^458 y^25 z^15, x^477 y^29 z^12, x^485 y^4 z^27,
x^486 y^22 z^16, x^496 y^33 z^9, x^513 y z^28, x^514 y^19 z^17, x^523 y^12 z^21, x^533 y^23 z^14, x^542 y^16 z^18, x^552 y^27 z^11,
x^553 y^45, x^581 y^42 z, x^590 y^35 z^5, x^599 y^28 z^9, x^609 y^39 z^2, x^617 y^14 z^17, x^626 y^7 z^21, x^637 y^36 z^3,
x^646 y^29 z^7, x^655 y^22 z^11, x^665 y^33 z^4, x^673 y^8 z^19, x^684 y^37 z, x^692 y^12 z^16, x^701 y^5 z^20, x^721 y^27 z^6,
x^740 y^31 z^3, x^758 y^17 z^11, x^759 y^35, x^777 y^21 z^8, x^796 y^25 z^5, x^805 y^18 z^9, x^814 y^11 z^13, x^815 y^29 z^2,
x^824 y^22 z^6, x^833 y^15 z^10, x^843 y^26 z^3, x^852 y^19 z^7, x^861 y^12 z^11, x^862 y^30, x^870 y^5 z^15, x^871 y^23 z^4,
x^889 y^9 z^12, x^899 y^20 z^5, x^908 y^13 z^9, x^918 y^24 z^2, x^927 y^17 z^6, x^945 y^3 z^14, x^964 y^7 z^11, x^1002 y^15 z^5,
x^1011 y^8 z^9, x^1021 y^19 z^2, x^1058 y^9 z^7, x^1067 y^2 z^11, x^1068 y^20, x^1077 y^13 z^4, x^1096 y^17 z, x^1133 y^7 z^6,
x^1152 y^11 z^3, x^1189 y z^8, x^1199 y^12 z, x^1236 y^2 z^6, x^1274 y^10, x^1302 y^7 z, x^1311 z^5, x^1330 y^4 z^2, x^1480}}
```

In[*]:= d29 = PolynomialMod[Expand[(d02 d04 ^3 d15 - d03 ^2 d07 ^2 d09) / x ^2], 2];

多項式の法

展開

MonomialList[d29, Reverse[{y, z, x}], "NegativeLexicographic"]

単項式リスト

反転

Out[*]:= { {y⁸⁰ z², x⁵ y z⁵⁰, x¹⁵ y¹² z⁴³, x¹⁶ y³⁰ z³², x²⁵ y²³ z³⁶, x³⁴ y¹⁶ z⁴⁰, x³⁵ y³⁴ z²⁹, x⁴⁵ y⁴⁵ z²², x⁴⁷ y⁸¹, x⁵³ y²⁰ z³⁷, x⁵⁵ y⁵⁶ z¹⁵, x⁵⁶ y⁷⁴ z⁴, x⁶⁵ y⁶⁷ z⁸, x⁷² y²⁴ z³⁴, x⁷⁴ y⁶⁰ z¹², x⁷⁵ y⁷⁸ z, x⁸¹ y¹⁷ z³⁸, x⁹⁰ y¹⁰ z⁴², x⁹¹ y²⁸ z³¹, x⁹² y⁴⁶ z²⁰, x⁹³ y⁶⁴ z⁹, x⁹⁹ y³ z⁴⁶, x¹⁰¹ y³⁹ z²⁴, x¹⁰⁹ y¹⁴ z³⁹, x¹¹⁰ y³² z²⁸, x¹¹¹ y⁵⁰ z¹⁷, x¹¹⁹ y²⁵ z³², x¹²⁷ z⁴⁷, x¹²⁹ y³⁶ z²⁵, x¹³⁰ y⁵⁴ z¹⁴, x¹³⁹ y⁴⁷ z¹⁸, x¹⁴⁷ y²² z³³, x¹⁴⁸ y⁴⁰ z²², x¹⁴⁹ y⁵⁸ z¹¹, x¹⁶⁵ y⁸ z⁴¹, x¹⁶⁶ y²⁶ z³⁰, x¹⁶⁷ y⁴⁴ z¹⁹, x¹⁷⁵ y¹⁹ z³⁴, x¹⁸⁵ y³⁰ z²⁷, x¹⁸⁷ y⁶⁶ z⁵, x¹⁹³ y⁵ z⁴², x¹⁹⁵ y⁴¹ z²⁰, x²⁰³ y¹⁶ z³⁵, x²⁰⁴ y³⁴ z²⁴, x²⁰⁵ y⁵² z¹³, x²²¹ y² z⁴³, x²²⁴ y⁵⁶ z¹⁰, x²³¹ y¹³ z³⁶, x²⁴¹ y²⁴ z²⁹, x²⁴³ y⁶⁰ z⁷, x²⁵³ y⁷¹, x²⁶⁰ y²⁸ z²⁶, x²⁶¹ y⁴⁶ z¹⁵, x²⁶² y⁶⁴ z⁴, x²⁷⁹ y³² z²³, x²⁸¹ y⁶⁸ z, x²⁸⁷ y⁷ z³⁸, x²⁸⁹ y⁴³ z¹⁶, x²⁹⁷ y¹⁸ z³¹, x²⁹⁸ y³⁶ z²⁰, x³¹⁶ y²² z²⁸, x³¹⁷ y⁴⁰ z¹⁷, x³¹⁸ y⁵⁸ z⁶, x³³⁴ y⁸ z³⁶, x³³⁵ y²⁶ z²⁵, x³³⁶ y⁴⁴ z¹⁴, x³³⁷ y⁶² z³, x³⁴³ y⁴⁰, x³⁵⁴ y³⁰ z²², x³⁵⁵ y⁴⁸ z¹¹, x³⁵⁶ y⁶⁶, x³⁷² y¹⁶ z³⁰, x³⁷³ y³⁴ z¹⁹, x³⁷⁴ y⁵² z⁸, x³⁹⁰ y² z³⁸, x³⁹¹ y²⁰ z²⁷, x³⁹³ y⁵⁶ z⁵, x⁴¹⁰ y²⁴ z²⁴, x⁴¹¹ y⁴² z¹³, x⁴¹² y⁶⁰ z², x⁴²¹ y⁵³ z⁶, x⁴²⁸ y¹⁰ z³², x⁴²⁹ y²⁸ z²¹, x⁴³⁰ y⁴⁶ z¹⁰, x⁴³⁷ y³ z³⁶, x⁴⁴⁷ y¹⁴ z²⁹, x⁴⁴⁸ y³² z¹⁸, x⁴⁴⁹ y⁵⁰ z⁷, x⁴⁶⁶ y¹⁸ z²⁶, x⁴⁶⁷ y³⁶ z¹⁵, x⁴⁸⁴ y⁴ z³⁴, x⁴⁸⁵ y²² z²³, x⁴⁸⁶ y⁴⁰ z¹², x⁵⁰⁵ y⁴⁴ z⁹, x⁵¹³ y¹⁹ z²⁴, x⁵¹⁵ y⁵⁵ z², x⁵³¹ y⁵ z³², x⁵⁴² y³⁴ z¹⁴, x⁵⁵⁹ y² z³³, x⁵⁶⁰ y²⁰ z²², x⁵⁶¹ y³⁸ z¹¹, x⁵⁶² y⁵⁶, x⁵⁷¹ y⁴⁹ z⁴, x⁵⁷⁹ y²⁴ z¹⁹, x⁵⁸⁰ y⁴² z⁸, x⁵⁹⁸ y²⁸ z¹⁶, x⁵⁹⁹ y⁴⁶ z⁵, x⁶¹⁶ y¹⁴ z²⁴, x⁶¹⁷ y³² z¹³, x⁶¹⁸ y⁵⁰ z², x⁶³⁶ y³⁶ z¹⁰, x⁶⁵⁴ y²² z¹⁸, x⁶⁵⁵ y⁴⁰ z⁷, x⁶⁷³ y²⁶ z¹⁵, x⁶⁷⁴ y⁴⁴ z⁴, x⁶⁹² y³⁰ z¹², x⁶⁹³ y⁴⁸ z, x⁷⁰¹ y²³ z¹⁶, x⁷¹¹ y³⁴ z⁹, x⁷²⁸ y² z²⁸, x⁷³⁰ y³⁸ z⁶, x⁷⁴⁷ y⁶ z²⁵, x⁷⁴⁸ y²⁴ z¹⁴, x⁷⁴⁹ y⁴² z³, x⁷⁵⁷ y¹⁷ z¹⁸, x⁷⁷⁷ y³⁹ z⁴, x⁸²³ y²² z¹³, x⁸³³ y³³ z⁶, x⁸⁵¹ y¹⁹ z¹⁴, x⁸⁶⁹ y⁵ z²², x⁸⁷¹ y⁴¹, x⁸⁸⁰ y³⁴ z⁴, x⁸⁹⁸ y²⁰ z¹², x⁹¹⁶ y⁶ z²⁰, x⁹²⁷ y³⁵ z², x⁹³⁵ y¹⁰ z¹⁷, x⁹³⁶ y²⁸ z⁶, x⁹⁴⁵ y²¹ z¹⁰, x⁹⁵⁴ y¹⁴ z¹⁴, x⁹⁶³ y⁷ z¹⁸, x⁹⁷² z²², x⁹⁷⁴ y³⁶, x⁹⁸³ y²⁹ z⁴, x⁹⁹¹ y⁴ z¹⁹, x⁹⁹² y²² z⁸, x¹⁰¹¹ y²⁶ z⁵, x¹⁰¹⁹ y²⁰, x¹⁰²⁹ y¹² z¹³, x¹⁰³⁰ y³⁰ z², x¹⁰³⁹ y²³ z⁶, x¹⁰⁴⁸ y¹⁶ z¹⁰, x¹⁰⁶⁷ y²⁰ z⁷, x¹⁰⁸⁵ y⁶ z¹⁵, x¹⁰⁹⁵ y¹⁷ z⁸, x¹¹⁰⁴ y¹⁰ z¹², x¹¹⁰⁵ y²⁸ z, x¹¹²³ y¹⁴ z⁹, x¹¹⁶⁰ y⁴ z¹⁴, x¹¹⁶¹ y²² z³, x¹¹⁷⁹ y⁸ z¹¹, x¹¹⁸⁹ y¹⁹ z⁴, x¹¹⁹⁸ y¹² z⁸, x¹²¹⁷ y¹⁶ z⁵, x¹²⁴⁵ y¹³ z⁶, x¹²⁵⁴ y⁶ z¹⁰, x¹²⁷³ y¹⁰ z⁷, x¹²⁸³ y²¹, x¹³⁰¹ y⁷ z⁸, x¹³¹¹ y¹⁸ z, x¹³³⁹ y¹⁵ z², x¹³⁸⁶ y¹⁶, x¹³⁹⁵ y⁹ z⁴, x¹⁴²³ y⁶ z⁵, x¹⁴⁴² y¹⁰ z², x¹⁴⁸⁹ y¹¹, x¹⁵⁹² y⁶, x¹⁶⁴⁸ z², x¹⁶⁹⁵ y } }

```
In[*]:= d32 = PolynomialMod[Expand[(d03^3 d04^2 d15 - d07 d25) / x], 2];
```

└多項式の法

└展開

```
MonomialList[d32, Reverse[{y, z, x}], "NegativeLexicographic"]
```

└単項式リスト

└反転

```
Out[*]:= {{y^82 z^6, x^5 y^3 z^54, x^6 y^21 z^43, x^16 y^32 z^36, x^24 y^7 z^51, x^25 y^25 z^40, x^26 y^43 z^29, x^33 z^55, x^38 y^90,
x^43 y^11 z^48, x^45 y^47 z^26, x^46 y^65 z^15, x^53 y^22 z^41, x^56 y^76 z^8, x^62 y^15 z^45, x^64 y^51 z^23, x^65 y^69 z^12,
x^66 y^87 z, x^71 y^8 z^49, x^72 y^26 z^38, x^73 y^44 z^27, x^81 y^19 z^42, x^82 y^37 z^31, x^83 y^55 z^20, x^92 y^48 z^24,
x^93 y^66 z^13, x^94 y^84 z^2, x^101 y^41 z^28, x^109 y^16 z^43, x^110 y^34 z^32, x^111 y^52 z^21, x^118 y^9 z^47, x^129 y^38 z^29,
x^137 y^13 z^44, x^138 y^31 z^33, x^140 y^67 z^11, x^148 y^42 z^26, x^158 y^53 z^19, x^159 y^71 z^8, x^165 y^10 z^45,
x^166 y^28 z^34, x^176 y^39 z^27, x^177 y^57 z^16, x^184 y^14 z^42, x^186 y^50 z^20, x^187 y^68 z^9, x^194 y^25 z^35,
x^195 y^43 z^24, x^202 z^50, x^205 y^54 z^17, x^212 y^11 z^43, x^213 y^29 z^32, x^214 y^47 z^21, x^223 y^40 z^25, x^231 y^15 z^40,
x^233 y^51 z^18, x^234 y^69 z^7, x^241 y^26 z^33, x^250 y^19 z^37, x^253 y^73 z^4, x^259 y^12 z^41, x^261 y^48 z^19, x^262 y^66 z^8,
x^269 y^23 z^34, x^270 y^41 z^23, x^280 y^52 z^16, x^281 y^70 z^5, x^289 y^45 z^20, x^297 y^20 z^35, x^298 y^38 z^24,
x^306 y^13 z^39, x^316 y^24 z^32, x^317 y^42 z^21, x^325 y^17 z^36, x^328 y^71 z^3, x^334 y^10 z^40, x^336 y^46 z^18,
x^347 y^75, x^353 y^14 z^37, x^364 y^43 z^19, x^372 y^18 z^34, x^375 y^72 z, x^381 y^11 z^38, x^383 y^47 z^16, x^392 y^40 z^20,
x^402 y^51 z^13, x^409 y^8 z^39, x^411 y^44 z^17, x^418 y^43 z, x^421 y^55 z^10, x^437 y^5 z^40, x^440 y^59 z^7, x^449 y^52 z^11,
x^450 y^70, x^459 y^63 z^4, x^465 y^2 z^41, x^486 y^42 z^16, x^487 y^60 z^5, x^494 y^17 z^31, x^504 y^28 z^24, x^512 y^3 z^39,
x^513 y^21 z^28, x^522 y^14 z^32, x^524 y^50 z^10, x^531 y^7 z^36, x^534 y^61 z^3, x^540 z^40, x^541 y^18 z^29, x^553 y^65,
x^559 y^4 z^37, x^562 y^58 z^4, x^578 y^8 z^34, x^581 y^62 z, x^588 y^19 z^27, x^590 y^55 z^5, x^607 y^23 z^24, x^609 y^59 z^2,
x^634 y^2 z^36, x^635 y^20 z^25, x^637 y^56 z^3, x^682 y^21 z^23, x^692 y^32 z^16, x^701 y^25 z^20, x^710 y^18 z^24,
x^712 y^54 z^2, x^728 y^4 z^32, x^729 y^22 z^21, x^757 y^19 z^22, x^758 y^37 z^11, x^777 y^41 z^8, x^785 y^16 z^23,
x^805 y^38 z^9, x^814 y^31 z^13, x^824 y^42 z^6, x^833 y^35 z^10, x^850 y^3 z^29, x^861 y^32 z^11, x^862 y^50, x^869 y^7 z^26,
x^870 y^25 z^15, x^888 y^11 z^23, x^889 y^29 z^12, x^890 y^47 z, x^897 y^4 z^27, x^898 y^22 z^16, x^907 y^15 z^20,
x^917 y^26 z^13, x^918 y^44 z^2, x^935 y^12 z^21, x^936 y^30 z^10, x^946 y^41 z^3, x^954 y^16 z^18, x^964 y^27 z^11,
x^965 y^45, x^972 y^2 z^26, x^982 y^13 z^19, x^983 y^31 z^8, x^993 y^42 z, x^1001 y^17 z^16, x^1002 y^35 z^5, x^1010 y^10 z^20,
x^1011 y^28 z^9, x^1021 y^39 z^2, x^1029 y^14 z^17, x^1038 y^7 z^21, x^1049 y^36 z^3, x^1057 y^11 z^18, x^1058 y^29 z^7,
x^1068 y^40, x^1077 y^33 z^4, x^1085 y^8 z^19, x^1086 y^26 z^8, x^1105 y^30 z^5, x^1124 y^34 z^2, x^1133 y^27 z^6,
x^1160 y^6 z^18, x^1161 y^24 z^7, x^1170 y^17 z^11, x^1189 y^21 z^8, x^1216 z^20, x^1217 y^18 z^9, x^1226 y^11 z^13,
x^1245 y^15 z^10, x^1273 y^12 z^11, x^1274 y^30, x^1282 y^5 z^15, x^1301 y^9 z^12, x^1329 y^6 z^13, x^1330 y^24 z^2,
x^1348 y^10 z^10, x^1358 y^21 z^3, x^1376 y^7 z^11, x^1377 y^25, x^1395 y^11 z^8, x^1405 y^22 z, x^1414 y^15 z^5, x^1423 y^8 z^9,
x^1433 y^19 z^2, x^1461 y^16 z^3, x^1470 y^9 z^7, x^1489 y^13 z^4, x^1498 y^6 z^8, x^1517 y^10 z^5, x^1536 y^14 z^2,
x^1564 y^11 z^3, x^1583 y^15, x^1592 y^8 z^4, x^1611 y^12 z, x^1648 y^2 z^6, x^1714 y^7 z, x^1742 y^4 z^2, x^1892}}
```

```
In[*]:= d37 = PolynomialMod[Expand[(d03^5 d07 d15 - d04^2 d29) / x], 2];
      |多項式の法 |展開
```

```
MonomialList[d37, Reverse[{y, z, x}], "NegativeLexicographic"]
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Out[*]:= { {y^98 z^5, x^4 y z^64, x^6 y^37 z^42, x^14 y^12 z^57, x^16 y^48 z^35, x^18 y^84 z^13, x^19 y^102 z^2, x^26 y^59 z^28, x^28 y^95 z^6,
x^33 y^16 z^54, x^35 y^52 z^32, x^37 y^88 z^10, x^51 y^2 z^62, x^52 y^20 z^51, x^53 y^38 z^40, x^62 y^31 z^44, x^66 y^103,
x^71 y^24 z^48, x^73 y^60 z^26, x^75 y^96 z^4, x^80 y^17 z^52, x^94 y^100 z, x^98 y^3 z^60, x^108 y^14 z^53, x^109 y^32 z^42,
x^110 y^50 z^31, x^118 y^25 z^46, x^120 y^61 z^24, x^129 y^54 z^28, x^130 y^72 z^17, x^140 y^83 z^10, x^145 y^4 z^58,
x^146 y^22 z^47, x^148 y^58 z^25, x^149 y^76 z^14, x^158 y^69 z^18, x^164 y^8 z^55, x^166 y^44 z^33, x^168 y^80 z^11,
x^174 y^19 z^48, x^178 y^91 z^4, x^183 y^12 z^52, x^184 y^30 z^41, x^185 y^48 z^30, x^196 y^77 z^12, x^203 y^34 z^38,
x^204 y^52 z^27, x^205 y^70 z^16, x^214 y^63 z^20, x^220 y^2 z^57, x^221 y^20 z^46, x^223 y^56 z^24, x^225 y^92 z^2,
x^230 y^13 z^50, x^234 y^85 z^6, x^239 y^6 z^54, x^242 y^60 z^21, x^243 y^78 z^10, x^250 y^35 z^36, x^252 y^71 z^14,
x^258 y^10 z^51, x^260 y^46 z^29, x^262 y^82 z^7, x^270 y^57 z^22, x^279 y^50 z^26, x^286 y^7 z^52, x^290 y^79 z^8,
x^296 y^18 z^45, x^297 y^36 z^34, x^298 y^54 z^23, x^299 y^72 z^12, x^314 y^4 z^53, x^315 y^22 z^42, x^316 y^40 z^31,
x^328 y^87 z^2, x^335 y^44 z^28, x^336 y^62 z^17, x^337 y^80 z^6, x^342 y z^54, x^346 y^73 z^10, x^352 y^12 z^47,
x^355 y^66 z^14, x^364 y^59 z^18, x^371 y^16 z^44, x^372 y^34 z^33, x^375 y^88, x^382 y^45 z^26, x^389 y^2 z^52, x^391 y^38 z^30,
x^392 y^56 z^19, x^393 y^74 z^8, x^410 y^42 z^27, x^420 y^53 z^20, x^438 y^39 z^28, x^440 y^75 z^6, x^446 y^14 z^43,
x^448 y^50 z^21, x^458 y^61 z^14, x^465 y^18 z^40, x^476 y^47 z^22, x^485 y^40 z^26, x^486 y^58 z^15, x^487 y^76 z^4,
x^494 y^33 z^30, x^502 y^8 z^45, x^504 y^44 z^23, x^514 y^55 z^16, x^521 y^12 z^42, x^524 y^66 z^9, x^541 y^34 z^28,
x^542 y^52 z^17, x^543 y^70 z^6, x^552 y^63 z^10, x^568 y^13 z^40, x^570 y^49 z^18, x^578 y^24 z^33, x^580 y^60 z^11,
x^588 y^35 z^26, x^596 y^10 z^41, x^597 y^28 z^30, x^598 y^46 z^19, x^608 y^57 z^12, x^618 y^68 z^5, x^635 y^36 z^24,
x^636 y^54 z^13, x^637 y^72 z^2, x^644 y^29 z^28, x^654 y^40 z^21, x^664 y^51 z^14, x^673 y^44 z^18, x^674 y^62 z^7,
x^682 y^37 z^22, x^684 y^73, x^690 y^12 z^37, x^691 y^30 z^26, x^692 y^48 z^15, x^693 y^66 z^4, x^700 y^23 z^30, x^702 y^59 z^8,
x^709 y^16 z^34, x^712 y^70 z, x^729 y^38 z^20, x^738 y^31 z^24, x^747 y^24 z^28, x^749 y^60 z^6, x^758 y^53 z^10,
x^766 y^28 z^25, x^776 y^39 z^18, x^786 y^50 z^11, x^794 y^25 z^26, x^802 z^41, x^804 y^36 z^19, x^812 y^11 z^34,
x^814 y^47 z^12, x^821 y^4 z^38, x^824 y^58 z^5, x^840 y^8 z^35, x^841 y^26 z^24, x^843 y^62 z^2, x^850 y^19 z^28,
x^860 y^30 z^21, x^861 y^48 z^10, x^868 y^5 z^36, x^870 y^41 z^14, x^879 y^34 z^18, x^880 y^52 z^7, x^888 y^27 z^22,
x^896 y^2 z^37, x^897 y^20 z^26, x^898 y^38 z^15, x^899 y^56 z^4, x^906 y^13 z^30, x^908 y^49 z^8, x^916 y^24 z^23,
x^934 y^10 z^31, x^936 y^46 z^9, x^954 y^32 z^17, x^973 y^36 z^14, x^974 y^54 z^3, x^982 y^29 z^18, x^993 y^58, x^1000 y^15 z^26,
x^1010 y^26 z^19, x^1018 y z^34, x^1028 y^12 z^27, x^1030 y^48 z^5, x^1038 y^23 z^20, x^1048 y^34 z^13, x^1049 y^52 z^2,
x^1056 y^9 z^28, x^1065 y^2 z^32, x^1067 y^38 z^10, x^1084 y^6 z^29, x^1085 y^24 z^18, x^1094 y^17 z^22, x^1096 y^53,
x^1104 y^28 z^15, x^1112 y^3 z^30, x^1122 y^14 z^23, x^1123 y^32 z^12, x^1124 y^50 z, x^1132 y^25 z^16, x^1140 z^31,
x^1150 y^11 z^24, x^1160 y^22 z^17, x^1197 y^12 z^22, x^1198 y^30 z^11, x^1216 y^16 z^19, x^1217 y^34 z^8, x^1226 y^27 z^12,
x^1234 y^2 z^27, x^1235 y^20 z^16, x^1253 y^6 z^24, x^1254 y^24 z^13, x^1272 y^10 z^21, x^1291 y^14 z^18, x^1310 y^18 z^15,
x^1328 y^4 z^23, x^1329 y^22 z^12, x^1347 y^8 z^20, x^1356 y^24 z^4, x^1358 y^37 z^2, x^1366 y^12 z^17, x^1385 y^16 z^14,
x^1403 y^2 z^22, x^1404 y^20 z^11, x^1405 y^38, x^1414 y^31 z^4, x^1422 y^6 z^19, x^1423 y^24 z^8, x^1441 y^10 z^16,
x^1450 y^3 z^20, x^1460 y^14 z^13, x^1461 y^32 z^2, x^1470 y^25 z^6, x^1478 z^21, x^1479 y^18 z^10, x^1498 y^22 z^7,
x^1508 y^33, x^1516 y^8 z^15, x^1535 y^12 z^12, x^1536 y^30 z, x^1544 y^5 z^16, x^1554 y^16 z^9, x^1573 y^20 z^6,
x^1582 y^13 z^10, x^1591 y^6 z^14, x^1610 y^10 z^11, x^1638 y^7 z^12, x^1648 y^18 z^5, x^1666 y^4 z^13, x^1667 y^22 z^2,
x^1694 y z^14, x^1704 y^12 z^7, x^1723 y^16 z^4, x^1741 y^2 z^12, x^1798 y^14 z^3, x^1816 z^11, x^1817 y^18, x^1826 y^11 z^4,
x^1835 y^4 z^8, x^1854 y^8 z^5, x^1910 y^2 z^7, x^1929 y^6 z^4, x^2032 y z^4, x^2079 y^2 z^2, x^2126 y^3, x^2154 z } }
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In[*]:= d41 = PolynomialMod[Expand[(y^2 a01^2 d04 d07^5 - z b01 d02 d03 d07^5 - x^9 y b01^2 d04 d07^5 -
      |多項式の法 |展開
x^10 y b01 d04^6 d07 d09 - x^14 y d02^2 d37 - x^15 y a01^2 d09 d15^2 -
x^38 d04^8 d09 - x^39 d02 d04^6 d15 - x^42 d04 d37) / x^43], 2];
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MonomialList[d41, Reverse[{y, z, x}], "NegativeLexicographic"]
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$$\text{Out}[n]= \left\{ \begin{aligned} & y^{116} z, x^3 y z^{71}, x^5 y^{37} z^{49}, x^8 y^{91} z^{16}, x^9 y^{109} z^5, x^{13} y^{12} z^{64}, x^{14} y^{30} z^{53}, x^{15} y^{48} z^{42}, x^{16} y^{66} z^{31}, \\ & x^{17} y^{84} z^{20}, x^{18} y^{102} z^9, x^{23} y^{23} z^{57}, x^{28} y^{113} z^2, x^{32} y^{16} z^{61}, x^{34} y^{52} z^{39}, x^{35} y^{70} z^{28}, x^{36} y^{88} z^{17}, \\ & x^{42} y^{27} z^{54}, x^{46} y^{99} z^{10}, x^{50} y^2 z^{69}, x^{51} y^{20} z^{58}, x^{54} y^{74} z^{25}, x^{55} y^{92} z^{14}, x^{60} y^{13} z^{62}, x^{62} y^{49} z^{40}, \\ & x^{64} y^{85} z^{18}, x^{69} y^6 z^{66}, x^{70} y^{24} z^{55}, x^{72} y^{60} z^{33}, x^{75} y^{114}, x^{81} y^{53} z^{37}, x^{82} y^{71} z^{26}, x^{83} y^{89} z^{15}, \\ & x^{84} y^{107} z^4, x^{88} y^{10} z^{63}, x^{89} y^{28} z^{52}, x^{91} y^{64} z^{30}, x^{97} y^3 z^{67}, x^{100} y^{57} z^{34}, x^{102} y^{93} z^{12}, x^{103} y^{111} z, \\ & x^{108} y^{32} z^{49}, x^{109} y^{50} z^{38}, x^{111} y^{86} z^{16}, x^{112} y^{104} z^5, x^{116} y^7 z^{64}, x^{117} y^{25} z^{53}, x^{118} y^{43} z^{42}, \\ & x^{120} y^{79} z^{20}, x^{125} z^{68}, x^{126} y^{18} z^{57}, x^{128} y^{54} z^{35}, x^{130} y^{90} z^{13}, x^{131} y^{108} z^2, x^{136} y^{29} z^{50}, x^{140} y^{101} z^6, \\ & x^{146} y^{40} z^{43}, x^{148} y^{76} z^{21}, x^{155} y^{33} z^{47}, x^{156} y^{51} z^{36}, x^{158} y^{87} z^{14}, x^{164} y^{26} z^{51}, x^{165} y^{44} z^{40}, \\ & x^{168} y^{98} z^7, x^{175} y^{55} z^{33}, x^{176} y^{73} z^{22}, x^{177} y^{91} z^{11}, x^{185} y^{66} z^{26}, x^{186} y^{84} z^{15}, x^{191} y^5 z^{63}, \\ & x^{192} y^{23} z^{52}, x^{194} y^{59} z^{30}, x^{196} y^{95} z^8, x^{203} y^{52} z^{34}, x^{205} y^{88} z^{12}, x^{210} y^9 z^{60}, x^{212} y^{45} z^{38}, \\ & x^{219} y^2 z^{64}, x^{221} y^{38} z^{42}, x^{222} y^{56} z^{31}, x^{223} y^{74} z^{20}, x^{230} y^{31} z^{46}, x^{232} y^{67} z^{24}, x^{233} y^{85} z^{13}, \\ & x^{234} y^{103} z^2, x^{238} y^6 z^{61}, x^{240} y^{42} z^{39}, x^{241} y^{60} z^{28}, x^{243} y^{96} z^6, x^{249} y^{35} z^{43}, x^{250} y^{53} z^{32}, \\ & x^{252} y^{89} z^{10}, x^{257} y^{10} z^{58}, x^{258} y^{28} z^{47}, x^{268} y^{39} z^{40}, x^{271} y^{93} z^7, x^{278} y^{50} z^{33}, x^{279} y^{68} z^{22}, \\ & x^{280} y^{86} z^{11}, x^{285} y^7 z^{59}, x^{286} y^{25} z^{48}, x^{288} y^{61} z^{26}, x^{296} y^{36} z^{41}, x^{298} y^{72} z^{19}, x^{299} y^{90} z^8, \\ & x^{305} y^{29} z^{45}, x^{308} y^{83} z^{12}, x^{309} y^{101} z, x^{316} y^{58} z^{27}, x^{324} y^{33} z^{42}, x^{326} y^{69} z^{20}, x^{341} y z^{61}, x^{343} y^{37} z^{39}, \\ & x^{344} y^{55} z^{28}, x^{352} y^{30} z^{43}, x^{354} y^{66} z^{21}, x^{362} y^{41} z^{36}, x^{365} y^{95} z^3, x^{371} y^{34} z^{40}, x^{372} y^{52} z^{29}, \\ & x^{373} y^{70} z^{18}, x^{379} y^9 z^{55}, x^{380} y^{27} z^{44}, x^{384} y^{99}, x^{390} y^{38} z^{37}, x^{392} y^{74} z^{15}, x^{399} y^{31} z^{41}, x^{400} y^{49} z^{30}, \\ & x^{402} y^{85} z^8, x^{407} y^6 z^{56}, x^{408} y^{24} z^{45}, x^{409} y^{42} z^{34}, x^{411} y^{78} z^{12}, x^{412} y^{96} z, x^{417} y^{17} z^{49}, x^{427} y^{28} z^{42}, \\ & x^{429} y^{64} z^{20}, x^{430} y^{82} z^9, x^{435} y^3 z^{57}, x^{436} y^{21} z^{46}, x^{437} y^{39} z^{35}, x^{438} y^{57} z^{24}, x^{445} y^{14} z^{50}, \\ & x^{447} y^{50} z^{28}, x^{448} y^{68} z^{17}, x^{454} y^7 z^{54}, x^{456} y^{43} z^{32}, x^{458} y^{79} z^{10}, x^{465} y^{36} z^{36}, x^{467} y^{72} z^{14}, \\ & x^{473} y^{11} z^{51}, x^{474} y^{29} z^{40}, x^{483} y^{22} z^{44}, x^{484} y^{40} z^{33}, x^{487} y^{94}, x^{492} y^{15} z^{48}, x^{493} y^{33} z^{37}, x^{503} y^{44} z^{30}, \\ & x^{505} y^{80} z^8, x^{510} y z^{56}, x^{512} y^{37} z^{34}, x^{515} y^{91} z, x^{522} y^{48} z^{27}, x^{524} y^{84} z^5, x^{530} y^{23} z^{42}, x^{539} y^{16} z^{46}, \\ & x^{543} y^{88} z^2, x^{550} y^{45} z^{28}, x^{552} y^{81} z^6, x^{557} y^2 z^{54}, x^{561} y^{74} z^{10}, x^{567} y^{13} z^{47}, x^{568} y^{31} z^{36}, \\ & x^{570} y^{67} z^{14}, x^{577} y^{24} z^{40}, x^{578} y^{42} z^{29}, x^{586} y^{17} z^{44}, x^{587} y^{35} z^{33}, x^{595} y^{10} z^{48}, x^{596} y^{28} z^{37}, \\ & x^{597} y^{46} z^{26}, x^{598} y^{64} z^{15}, x^{599} y^{82} z^4, x^{608} y^{75} z^8, x^{614} y^{14} z^{45}, x^{615} y^{32} z^{34}, x^{616} y^{50} z^{23}, \\ & x^{617} y^{68} z^{12}, x^{624} y^{25} z^{38}, x^{632} z^{53}, x^{635} y^{54} z^{20}, x^{642} y^{11} z^{46}, x^{646} y^{83} z^2, x^{653} y^{40} z^{28}, x^{654} y^{58} z^{17}, \\ & x^{655} y^{76} z^6, x^{661} y^{15} z^{43}, x^{664} y^{69} z^{10}, x^{670} y^8 z^{47}, x^{671} y^{26} z^{36}, x^{672} y^{44} z^{25}, x^{680} y^{19} z^{40}, \\ & x^{682} y^{55} z^{18}, x^{689} y^{12} z^{44}, x^{691} y^{48} z^{22}, x^{692} y^{66} z^{11}, x^{693} y^{84}, x^{702} y^{77} z^4, x^{717} y^9 z^{45}, x^{718} y^{27} z^{34}, \\ & x^{720} y^{63} z^{12}, x^{721} y^{81} z, x^{727} y^{20} z^{38}, x^{730} y^{74} z^5, x^{736} y^{13} z^{42}, x^{748} y^{60} z^{13}, x^{749} y^{78} z^2, x^{755} y^{17} z^{39}, \\ & x^{757} y^{53} z^{17}, x^{764} y^{10} z^{43}, x^{765} y^{28} z^{32}, x^{766} y^{46} z^{21}, x^{767} y^{64} z^{10}, x^{774} y^{21} z^{36}, x^{775} y^{39} z^{25}, \\ & x^{776} y^{57} z^{14}, x^{783} y^{14} z^{40}, x^{784} y^{32} z^{29}, x^{785} y^{50} z^{18}, x^{786} y^{68} z^7, x^{792} y^7 z^{44}, x^{801} z^{48}, x^{802} y^{18} z^{37}, \\ & x^{803} y^{36} z^{26}, x^{805} y^{72} z^4, x^{811} y^{11} z^{41}, x^{812} y^{29} z^{30}, x^{820} y^4 z^{45}, x^{823} y^{58} z^{12}, x^{830} y^{15} z^{38}, \\ & x^{832} y^{51} z^{16}, x^{833} y^{69} z^5, x^{839} y^8 z^{42}, x^{848} y z^{46}, x^{849} y^{19} z^{35}, x^{852} y^{73} z^2, x^{858} y^{12} z^{39}, x^{859} y^{30} z^{28}, \\ & x^{860} y^{48} z^{17}, x^{861} y^{66} z^6, x^{868} y^{23} z^{32}, x^{869} y^{41} z^{21}, x^{870} y^{59} z^{10}, x^{877} y^{16} z^{36}, x^{879} y^{52} z^{14}, \\ & x^{880} y^{70} z^3, x^{886} y^9 z^{40}, x^{895} y^2 z^{44}, x^{896} y^{20} z^{33}, x^{906} y^{31} z^{26}, x^{907} y^{49} z^{15}, x^{908} y^{67} z^4, x^{914} y^6 z^{41}, \\ & x^{915} y^{24} z^{30}, x^{917} y^{60} z^8, x^{926} y^{53} z^{12}, x^{927} y^{71} z, x^{943} y^{21} z^{31}, x^{952} y^{14} z^{35}, x^{954} y^{50} z^{13}, x^{955} y^{68} z^2, \\ & x^{962} y^{25} z^{28}, x^{964} y^{61} z^6, x^{972} y^{36} z^{21}, x^{982} y^{47} z^{14}, x^{989} y^4 z^{40}, x^{990} y^{22} z^{29}, x^{1000} y^{33} z^{22}, \\ & x^{1001} y^{51} z^{11}, x^{1002} y^{69}, x^{1010} y^{44} z^{15}, x^{1011} y^{62} z^4, x^{1018} y^{19} z^{30}, x^{1020} y^{55} z^8, x^{1029} y^{48} z^{12}, \\ & x^{1037} y^{23} z^{27}, x^{1046} y^{16} z^{31}, x^{1047} y^{34} z^{20}, x^{1056} y^{27} z^{24}, x^{1057} y^{45} z^{13}, x^{1058} y^{63} z^2, x^{1064} y^2 z^{39}, \\ & x^{1065} y^{20} z^{28}, x^{1067} y^{56} z^6, x^{1074} y^{13} z^{32}, x^{1076} y^{49} z^{10}, x^{1083} y^6 z^{36}, x^{1093} y^{17} z^{29}, x^{1095} y^{53} z^7, \\ & x^{1103} y^{28} z^{22}, x^{1104} y^{46} z^{11}, x^{1112} y^{21} z^{26}, x^{1114} y^{57} z^4, x^{1122} y^{32} z^{19}, x^{1123} y^{50} z^8, x^{1131} y^{25} z^{23}, \\ & x^{1132} y^{43} z^{12}, x^{1140} y^{18} z^{27}, x^{1142} y^{54} z^5, x^{1150} y^{29} z^{20}, x^{1151} y^{47} z^9, x^{1159} y^{22} z^{24}, x^{1160} y^{40} z^{13}, \\ & x^{1168} y^{15} z^{28}, x^{1169} y^{33} z^{17}, x^{1170} y^{51} z^6, x^{1177} y^8 z^{32}, x^{1178} y^{26} z^{21}, x^{1179} y^{44} z^{10}, x^{1186} y z^{36}, \\ & x^{1187} y^{19} z^{25}, x^{1188} y^{37} z^{14}, x^{1189} y^{55} z^3, x^{1196} y^{12} z^{29}, x^{1198} y^{48} z^7, x^{1206} y^{23} z^{22}, x^{1216} y^{34} z^{15}, \\ & x^{1224} y^9 z^{30}, x^{1225} y^{27} z^{19}, x^{1226} y^{45} z^8, x^{1236} y^{56} z, x^{1244} y^{31} z^{16}, x^{1245} y^{49} z^5, x^{1253} y^{24} z^{20}, \\ & x^{1254} y^{42} z^9, x^{1271} y^{10} z^{28}, x^{1272} y^{28} z^{17}, x^{1292} y^{50} z^3, x^{1309} y^{18} z^{22}, x^{1319} y^{29} z^{15}, x^{1327} y^4 z^{30}, \\ & x^{1329} y^{40} z^8, x^{1338} y^{33} z^{12}, x^{1339} y^{51} z, x^{1346} y^8 z^{27}, x^{1347} y^{26} z^{16}, x^{1366} y^{30} z^{13}, x^{1367} y^{48} z^2, \\ & x^{1374} y^5 z^{28}, x^{1384} y^{16} z^{21}, x^{1385} y^{34} z^{10}, x^{1402} y^2 z^{29}, x^{1413} y^{31} z^{11}, x^{1414} y^{49}, x^{1421} y^6 z^{26}, \end{aligned} \right.$$

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x1440 y10 z23, x1459 y14 z20, x1469 y25 z13, x1470 y43 z2, x1477 z28, x1478 y18 z17, x1496 y4 z25,
x1498 y40 z3, x1506 y15 z18, x1515 y8 z22, x1535 y30 z8, x1553 y16 z16, x1554 y34 z5, x1563 y27 z9,
x1582 y31 z6, x1591 y24 z10, x1609 y10 z18, x1610 y28 z7, x1618 y3 z22, x1629 y32 z4, x1646 z23,
x1648 y36 z, x1657 y29 z5, x1676 y33 z2, x1684 y8 z17, x1694 y19 z10, x1704 y30 z3, x1722 y16 z11,
x1731 y9 z15, x1732 y27 z4, x1740 y2 z19, x1741 y20 z8, x1751 y31 z, x1759 y6 z16, x1760 y24 z5,
x1779 y28 z2, x1788 y21 z6, x1797 y14 z10, x1806 y7 z14, x1816 y18 z7, x1825 y11 z11, x1826 y29,
x1834 y4 z15, x1844 y15 z8, x1854 y26 z, x1862 y z16, x1872 y12 z9, x1881 y5 z13, x1900 y9 z10, x1919 y13 z7,
x1928 y6 z11, x1929 y24, x1938 y17 z4, x1947 y10 z8, x1956 y3 z12, x1957 y21 z, x1985 y18 z2, x1994 y11 z6,
x2013 y15 z3, x2022 y8 z7, x2041 y12 z4, x2050 y5 z8, x2060 y16 z, x2088 y13 z2, x2116 y10 z3, x2135 y14,
x2144 y7 z4, x2153 z8, x2163 y11 z, x2191 y8 z2, x2238 y9, x2294 y3 z2, x2322 z3, x2341 y4, x2369 y z }
```

In[*]:= d43 = PolynomialMod[

多項式の法

Expand[(y^2 a01^2 d04 d07^4 d09 - z b01 d02 d03 d07^4 d09 - x^9 y b01^2 d04 d07^4 d09 -

展開

x^10 z a01 d02 d04 d07^3 d15 - x^11 y a01 b01 d02 d07^2 d25 - x^12 y a01 b01 d02 d07 d32 - x^13 y b01 d02 d03 d37 - x^14 y a01^4 d09 d15^2 - x^22 y d02 d04 d37 - x^27 y a01 d03 d04 d07^5 - x^29 y d03 d04 d07^3 d15 - x^39 d02^2 d07^2 d25 - x^40 d02^2 d07 d32 - x^41 a01^2 d04 d37 - x^42 a01^2 d41 - x^45 d02 d04^5 d07^3 - x^46 d02 d03^2 d07^5 - x^47 d04^7 d15 - x^48 d03^2 d04^2 d07^2 d15) / x^51], 2];

MonomialList[d43, Reverse[{y, z, x}], "NegativeLexicographic"]

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反転

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Out[*]:= { {y115 z5, x3 z75, x4 y18 z64, x5 y36 z53, x6 y54 z42, x9 y108 z9, x13 y11 z68, x14 y29 z57, x15 y47 z46,
x16 y65 z35, x23 y22 z61, x26 y76 z28, x28 y112 z6, x35 y69 z32, x36 y87 z21, x46 y98 z14, x50 y73,
x51 y19 z62, x53 y55 z40, x54 y73 z29, x55 y91 z18, x60 y12 z66, x64 y84 z22, x66 y120, x69 y5 z70,
x75 y113 z4, x80 y34 z52, x81 y52 z41, x83 y88 z19, x84 y106 z8, x88 y9 z67, x91 y63 z34, x98 y20 z60,
x99 y38 z49, x100 y56 z38, x102 y92 z16, x107 y13 z64, x111 y85 z20, x116 y6 z68, x120 y78 z24,
x122 y114 z2, x131 y107 z6, x145 y21 z58, x147 y57 z36, x148 y75 z25, x149 y93 z14, x155 y32 z51,
x158 y86 z18, x163 y7 z66, x165 y43 z44, x166 y61 z33, x168 y97 z11, x169 y115, x174 y36 z48, x192 y22 z56,
x196 y94 z12, x197 y112 z, x201 y15 z60, x202 y33 z49, x205 y87 z16, x211 y26 z53, x214 y80 z20, x219 y z68,
x221 y37 z46, x224 y91 z13, x225 y109 z2, x232 y66 z28, x233 y84 z17, x234 y102 z6, x238 y5 z65,
x242 y77 z21, x243 y95 z10, x250 y52 z36, x257 y9 z62, x259 y45 z40, x260 y63 z29, x269 y56 z33,
x278 y49 z37, x286 y24 z52, x290 y96 z8, x295 y17 z56, x297 y53 z34, x299 y89 z12, x305 y28 z49,
x308 y82 z16, x309 y100 z5, x313 y3 z64, x315 y39 z42, x326 y68 z24, x327 y86 z13, x328 y104 z2,
x336 y79 z17, x337 y97 z6, x341 z65, x351 y11 z58, x353 y47 z36, x354 y65 z25, x371 y33 z44, x372 y51 z33,
x384 y98 z4, x389 y19 z52, x393 y91 z8, x400 y48 z34, x403 y102 z, x407 y5 z60, x409 y41 z38, x412 y95 z5,
x417 y16 z53, x420 y70 z20, x427 y27 z46, x430 y81 z13, x436 y20 z50, x438 y56 z28, x445 y13 z54,
x448 y67 z21, x454 y6 z58, x459 y96 z3, x465 y35 z40, x466 y53 z29, x474 y28 z44, x484 y39 z37,
x487 y93 z4, x502 y25 z45, x511 y18 z49, x512 y36 z38, x514 y72 z16, x515 y90 z5, x521 y29 z42,
x524 y83 z9, x529 y4 z57, x531 y40 z35, x532 y58 z24, x542 y69 z17, x543 y87 z6, x548 y8 z54, x550 y44 z32,
x557 y z58, x560 y55 z25, x568 y30 z40, x577 y23 z44, x581 y95, x586 y16 z48, x596 y27 z41, x606 y38 z34,
x608 y74 z12, x609 y92 z, x614 y13 z49, x615 y31 z38, x618 y85 z5, x626 y60 z20, x633 y17 z46,
x636 y71 z13, x637 y89 z2, x644 y46 z28, x651 y3 z54, x654 y57 z21, x662 y32 z36, x671 y25 z40,
x672 y43 z29, x680 y18 z44, x681 y36 z33, x684 y90, x689 y11 z48, x690 y29 z37, x698 y4 z52, x702 y76 z8,
x708 y15 z45, x709 y33 z34, x712 y87 z, x717 y8 z49, x720 y62 z16, x721 y80 z5, x726 y z53, x727 y19 z42,
x730 y73 z9, x738 y48 z24, x740 y84 z2, x748 y59 z17, x756 y34 z32, x757 y52 z21, x758 y70 z10,
x765 y27 z36, x767 y63 z14, x774 y20 z40, x775 y38 z29, x783 y13 z44, x784 y31 z33, x787 y85, x796 y78 z4,
x802 y17 z41, x803 y35 z30, x805 y71 z8, x814 y64 z12, x815 y82 z, x820 y3 z49, x821 y21 z38, x824 y75 z5,
x833 y68 z9, x839 y7 z46, x842 y61 z13, x843 y79 z2, x848 z50, x851 y54 z17, x852 y72 z6, x859 y29 z32,
```

$$\begin{aligned}
& x^{860} y^{47} z^{21}, x^{868} y^{22} z^{36}, x^{877} y^{15} z^{40}, x^{878} y^{33} z^{29}, x^{886} y^8 z^{44}, x^{895} y z^{48}, x^{897} y^{37} z^{26}, x^{899} y^{73} z^4, \\
& x^{905} y^{12} z^{41}, x^{907} y^{48} z^{19}, x^{908} y^{66} z^8, x^{914} y^5 z^{45}, x^{915} y^{23} z^{34}, x^{917} y^{59} z^{12}, x^{924} y^{16} z^{38}, \\
& x^{933} y^9 z^{42}, x^{936} y^{63} z^9, x^{942} y^2 z^{46}, x^{953} y^{31} z^{28}, x^{963} y^{42} z^{21}, x^{972} y^{35} z^{25}, x^{973} y^{53} z^{14}, \\
& x^{989} y^3 z^{44}, x^{990} y^{21} z^{33}, x^{1008} y^7 z^{41}, x^{1009} y^{25} z^{30}, x^{1011} y^{61} z^8, x^{1018} y^{18} z^{34}, x^{1020} y^{54} z^{12}, \\
& x^{1021} y^{72} z^2, x^{1047} y^{33} z^{24}, x^{1048} y^{51} z^{13}, x^{1049} y^{69} z^2, x^{1056} y^{26} z^{28}, x^{1057} y^{44} z^{17}, x^{1064} y z^{43}, \\
& x^{1066} y^{37} z^{21}, x^{1067} y^{55} z^{10}, x^{1074} y^{12} z^{36}, x^{1083} y^5 z^{40}, x^{1084} y^{23} z^{29}, x^{1093} y^{16} z^{33}, x^{1096} y^{70}, \\
& x^{1102} y^9 z^{37}, x^{1103} y^{27} z^{26}, x^{1105} y^{63} z^4, x^{1114} y^{56} z^8, x^{1123} y^{49} z^{12}, x^{1130} y^6 z^{38}, x^{1132} y^{42} z^{16}, \\
& x^{1141} y^{35} z^{20}, x^{1142} y^{53} z^9, x^{1150} y^{28} z^{24}, x^{1152} y^{64} z^2, x^{1159} y^{21} z^{28}, x^{1160} y^{39} z^{17}, x^{1161} y^{57} z^6, \\
& x^{1168} y^{14} z^{32}, x^{1169} y^{32} z^{21}, x^{1177} y^7 z^{36}, x^{1178} y^{25} z^{25}, x^{1179} y^{43} z^{14}, x^{1188} y^{36} z^{18}, x^{1196} y^{11} z^{33}, \\
& x^{1197} y^{29} z^{22}, x^{1206} y^{22} z^{26}, x^{1208} y^{58} z^4, x^{1217} y^{51} z^8, x^{1224} y^8 z^{34}, x^{1244} y^{30} z^{20}, x^{1262} y^{16} z^{28}, \\
& x^{1263} y^{34} z^{17}, x^{1264} y^{52} z^6, x^{1271} y^9 z^{32}, x^{1272} y^{27} z^{21}, x^{1273} y^{45} z^{10}, x^{1280} y^2 z^{36}, x^{1281} y^{20} z^{25}, \\
& x^{1283} y^{56} z^3, x^{1290} y^{13} z^{29}, x^{1300} y^{24} z^{22}, x^{1309} y^{17} z^{26}, x^{1327} y^3 z^{34}, x^{1329} y^{39} z^{12}, x^{1330} y^{57} z, \\
& x^{1356} y^{18} z^{24}, x^{1358} y^{54} z^2, x^{1367} y^{47} z^6, x^{1384} y^{15} z^{25}, x^{1385} y^{33} z^{14}, x^{1403} y^{19} z^{22}, x^{1423} y^{41} z^8, \\
& x^{1433} y^{52} z, x^{1441} y^{27} z^{16}, x^{1461} y^{49} z^2, x^{1468} y^6 z^{28}, x^{1469} y^{24} z^{17}, x^{1479} y^{35} z^{10}, x^{1496} y^3 z^{29}, \\
& x^{1507} y^{32} z^{11}, x^{1508} y^{50}, x^{1535} y^{29} z^{12}, x^{1544} y^{22} z^{16}, x^{1554} y^{33} z^9, x^{1562} y^8 z^{24}, x^{1564} y^{44} z^2, \\
& x^{1590} y^5 z^{25}, x^{1591} y^{23} z^{14}, x^{1592} y^{41} z^3, x^{1600} y^{16} z^{18}, x^{1620} y^{38} z^4, x^{1629} y^{31} z^8, x^{1647} y^{17} z^{16}, \\
& x^{1656} y^{10} z^{20}, x^{1685} y^{25} z^{10}, x^{1703} y^{11} z^{18}, x^{1712} y^4 z^{22}, x^{1731} y^8 z^{19}, x^{1741} y^{19} z^{12}, x^{1742} y^{37} z, \\
& x^{1759} y^5 z^{20}, x^{1778} y^9 z^{17}, x^{1779} y^{27} z^6, x^{1797} y^{13} z^{14}, x^{1806} y^6 z^{18}, x^{1835} y^{21} z^8, x^{1845} y^{32} z, \\
& x^{1853} y^7 z^{16}, x^{1873} y^{29} z^2, x^{1881} y^4 z^{17}, x^{1891} y^{15} z^{10}, x^{1929} y^{23} z^4, x^{1947} y^9 z^{12}, x^{1957} y^{20} z^5, \\
& x^{1966} y^{13} z^9, x^{1975} y^6 z^{13}, x^{1985} y^{17} z^6, x^{2023} y^{25}, x^{2032} y^{18} z^4, x^{2041} y^{11} z^8, x^{2050} y^4 z^{12}, x^{2051} y^{22} z, \\
& x^{2079} y^{19} z^2, x^{2107} y^{16} z^3, x^{2126} y^{20}, x^{2135} y^{13} z^4, x^{2144} y^6 z^8, x^{2154} y^{17} z, x^{2163} y^{10} z^5, x^{2191} y^7 z^6, \\
& x^{2229} y^{15}, x^{2238} y^8 z^4, x^{2257} y^{12} z, x^{2285} y^9 z^2, x^{2369} z^5, x^{2388} y^4 z^2, x^{2416} y z^3, x^{2463} y^2 z, x^{2538} \}
\end{aligned}$$

In[*]:= d49 = PolynomialMod[Expand[

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$$\begin{aligned}
& (y \ b01 \ d04^4 \ d07 \ d25 - z \ d03^2 \ d07^4 \ d15 - x \ y \ b01 \ d04^4 \ d32 - x^4 \ y \ a01^2 \ d03^2 \ d41 - \\
& \quad x^7 \ y \ a01^3 \ d04 \ d07^6 - x^9 \ y \ a01^2 \ d04 \ d07^4 \ d15 - x^{13} \ y \ d03^2 \ d43 - x^{16} \ y \ d07^7 - \\
& \quad x^{18} \ b01^2 \ d04 \ d07^4 \ d15 - x^{19} \ b01 \ d02 \ d07^3 \ d25 - x^{20} \ b01 \ d02 \ d07^2 \ d32 - \\
& \quad x^{21} \ a01 \ d02^2 \ d07 \ d37 - x^{22} \ b01 \ d02 \ d03 \ d43 - x^{23} \ a01^4 \ d15^3 - \\
& \quad x^{28} \ d04^6 \ d25 - x^{29} \ d04^5 \ d29 - x^{30} \ d04^3 \ d37 - x^{31} \ d02 \ d04 \ d43) / x^{32}, 2];
\end{aligned}$$

MonomialList[d49, Reverse[{y, z, x}], "NegativeLexicographic"]

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[反転](#)

Out[*]= { {y¹³⁴ z⁴, x² y z⁸⁵, x⁴ y³⁷ z⁶³, x⁷ y⁹¹ z³⁰, x⁸ y¹⁰⁹ z¹⁹, x⁹ y¹²⁷ z⁸, x¹² y¹² z⁷⁸, x¹⁷ y¹⁰² z²³, x¹⁹ y¹³⁸ z, x²³ y⁴¹ z⁶⁰, x²⁴ y⁵⁹ z⁴⁹, x²⁵ y⁷⁷ z³⁸, x²⁸ y¹³¹ z⁵, x³¹ y¹⁶ z⁷⁵, x³² y³⁴ z⁶⁴, x³⁵ y⁸⁸ z³¹, x³⁷ y¹²⁴ z⁹, x⁴⁰ y⁹ z⁷⁹, x⁴¹ y²⁷ z⁶⁸, x⁴⁵ y⁹⁹ z²⁴, x⁴⁶ y¹¹⁷ z¹³, x⁴⁷ y¹³⁵ z², x⁵⁰ y²⁰ z⁷², x⁵¹ y³⁸ z⁶¹, x⁵² y⁵⁶ z⁵⁰, x⁵³ y⁷⁴ z³⁹, x⁶⁰ y³¹ z⁶⁵, x⁶⁸ y⁶ z⁸⁰, x⁶⁹ y²⁴ z⁶⁹, x⁷⁰ y⁴² z⁵⁸, x⁷² y⁷⁸ z³⁶, x⁷³ y⁹⁶ z²⁵, x⁷⁴ y¹¹⁴ z¹⁴, x⁸⁰ y⁵³ z⁵¹, x⁸² y⁸⁹ z²⁹, x⁸³ y¹⁰⁷ z¹⁸, x⁸⁸ y²⁸ z⁶⁶, x⁸⁹ y⁴⁶ z⁵⁵, x⁹¹ y⁸² z³³, x⁹² y¹⁰⁰ z²², x⁹³ y¹¹⁸ z¹¹, x⁹⁴ y¹³⁶, x⁹⁸ y³⁹ z⁵⁹, x¹⁰⁰ y⁷⁵ z³⁷, x¹⁰² y¹¹¹ z¹⁵, x¹⁰⁸ y⁵⁰ z⁵², x¹¹² y¹²² z⁸, x¹¹⁵ y⁷ z⁷⁸, x¹¹⁶ y²⁵ z⁶⁷, x¹¹⁸ y⁶¹ z⁴⁵, x¹²⁰ y⁹⁷ z²³, x¹²² y¹³³ z, x¹²⁶ y³⁶ z⁶⁰, x¹²⁷ y⁵⁴ z⁴⁹, x¹³⁴ y¹¹ z⁷⁵, x¹³⁶ y⁴⁷ z⁵³, x¹³⁷ y⁶⁵ z⁴², x¹³⁹ y¹⁰¹ z²⁰, x¹⁴⁰ y¹¹⁹ z⁹, x¹⁴³ y⁴ z⁷⁹, x¹⁴⁶ y⁵⁸ z⁴⁶, x¹⁴⁷ y⁷⁶ z³⁵, x¹⁴⁸ y⁹⁴ z²⁴, x¹⁵⁰ y¹³⁰ z², x¹⁵³ y¹⁵ z⁷², x¹⁵⁹ y¹²³ z⁶, x¹⁶² y⁸ z⁷⁶, x¹⁶³ y²⁶ z⁶⁵, x¹⁶⁴ y⁴⁴ z⁵⁴, x¹⁶⁶ y⁸⁰ z³², x¹⁶⁷ y⁹⁸ z²¹, x¹⁶⁸ y¹¹⁶ z¹⁰, x¹⁷¹ y^{z⁸⁰}, x¹⁷³ y³⁷ z⁵⁸, x¹⁷⁴ y⁵⁵ z⁴⁷, x¹⁷⁵ y⁷³ z³⁶, x¹⁸² y³⁰ z⁶², x¹⁸⁴ y⁶⁶ z⁴⁰, x¹⁸⁷ y¹²⁰ z⁷, x¹⁹⁰ y⁵ z⁷⁷, x¹⁹³ y⁵⁹ z⁴⁴, x¹⁹⁴ y⁷⁷ z³³, x¹⁹⁵ y⁹⁵ z²², x¹⁹⁶ y¹¹³ z¹¹, x²⁰⁰ y¹⁶ z⁷⁰, x²⁰¹ y³⁴ z⁵⁹, x²⁰² y⁵² z⁴⁸, x²⁰³ y⁷⁰ z³⁷, x²⁰⁵ y¹⁰⁶ z¹⁵, x²⁰⁹ y⁹ z⁷⁴, x²¹⁰ y²⁷ z⁶³, x²¹² y⁶³ z⁴¹, x²¹³ y⁸¹ z³⁰, x²¹⁴ y⁹⁹ z¹⁹, x²¹⁵ y¹¹⁷ z⁸, x²¹⁹ y²⁰ z⁶⁷, x²²⁰ y³⁸ z⁵⁶, x²²¹ y⁵⁶ z⁴⁵, x²²² y⁷⁴ z³⁴, x²²³ y⁹² z²³, x²²⁴ y¹¹⁰ z¹², x²²⁵ y¹²⁸ z, x²³⁰ y⁴⁹ z⁴⁹, x²³² y⁸⁵ z²⁷, x²³⁴ y¹²¹ z⁵, x²⁴⁰ y⁶⁰ z⁴², x²⁴² y⁹⁶ z²⁰, x²⁴⁷ y¹⁷ z⁶⁸, x²⁴⁸ y³⁵ z⁵⁷, x²⁴⁹ y⁵³ z⁴⁶, x²⁵¹ y⁸⁹ z²⁴, x²⁵² y¹⁰⁷ z¹³, x²⁵⁶ y¹⁰ z⁷², x²⁶¹ y¹⁰⁰ z¹⁷, x²⁶² y¹¹⁸ z⁶, x²⁶⁵ y³ z⁷⁶, x²⁶⁷ y³⁹ z⁵⁴, x²⁶⁸ y⁵⁷ z⁴³, x²⁷¹ y¹¹¹ z¹⁰, x²⁷⁵ y¹⁴ z⁶⁹, x²⁷⁶ y³² z⁵⁸, x²⁸¹ y¹²² z³, x²⁸⁵ y²⁵ z⁶², x²⁹⁰ y¹¹⁵ z⁷, x²⁹³ z⁷⁷, x²⁹⁴ y¹⁸ z⁶⁶, x²⁹⁵ y³⁶ z⁵⁵,

$x^{296} y^{54} z^{44}, x^{297} y^{72} z^{33}, x^{298} y^{90} z^{22}, x^{300} y^{126}, x^{303} y^{11} z^{70}, x^{305} y^{47} z^{48}, x^{306} y^{65} z^{37}, x^{308} y^{101} z^{15},$
 $x^{313} y^{22} z^{63}, x^{315} y^{58} z^{41}, x^{324} y^{51} z^{45}, x^{326} y^{87} z^{23}, x^{331} y^8 z^{71}, x^{332} y^{26} z^{60}, x^{333} y^{44} z^{49},$
 $x^{334} y^{62} z^{38}, x^{336} y^{98} z^{16}, x^{340} y^{75}, x^{341} y^{19} z^{64}, x^{342} y^{37} z^{53}, x^{345} y^{91} z^{20}, x^{346} y^{109} z^9,$
 $x^{353} y^{66} z^{35}, x^{354} y^{84} z^{24}, x^{359} y^5 z^{72}, x^{360} y^{23} z^{61}, x^{362} y^{59} z^{39}, x^{371} y^{52} z^{43}, x^{372} y^{70} z^{32},$
 $x^{373} y^{88} z^{21}, x^{378} y^9 z^{69}, x^{379} y^{27} z^{58}, x^{383} y^{99} z^{14}, x^{387} y^2 z^{73}, x^{400} y^{67} z^{33}, x^{402} y^{103} z^{11}, x^{403} y^{121},$
 $x^{406} y^6 z^{70}, x^{408} y^{42} z^{48}, x^{411} y^{96} z^{15}, x^{412} y^{114} z^4, x^{416} y^{17} z^{63}, x^{418} y^{53} z^{41}, x^{420} y^{89} z^{19},$
 $x^{425} y^{10} z^{67}, x^{426} y^{28} z^{56}, x^{428} y^{64} z^{34}, x^{429} y^{82} z^{23}, x^{430} y^{100} z^{12}, x^{434} y^3 z^{71}, x^{436} y^{39} z^{49},$
 $x^{439} y^9 z^{16}, x^{440} y^{111} z^5, x^{444} y^{14} z^{64}, x^{446} y^{50} z^{42}, x^{449} y^{104} z^9, x^{454} y^{25} z^{57}, x^{455} y^{43} z^{46},$
 $x^{462} z^{72}, x^{464} y^{36} z^{50}, x^{468} y^{108} z^6, x^{472} y^{11} z^{65}, x^{473} y^{29} z^{54}, x^{475} y^{65} z^{32}, x^{477} y^{101} z^{10},$
 $x^{483} y^{40} z^{47}, x^{486} y^{94} z^{14}, x^{493} y^{51} z^{40}, x^{500} y^8 z^{66}, x^{501} y^{26} z^{55}, x^{503} y^{62} z^{33}, x^{504} y^{80} z^{22},$
 $x^{505} y^{98} z^{11}, x^{509} y z^{70}, x^{510} y^{19} z^{59}, x^{511} y^{37} z^{48}, x^{514} y^{91} z^{15}, x^{515} y^{109} z^4, x^{520} y^{30} z^{52},$
 $x^{523} y^{84} z^{19}, x^{524} y^{102} z^8, x^{528} y^5 z^{67}, x^{530} y^{41} z^{45}, x^{531} y^{59} z^{34}, x^{534} y^{113} z, x^{538} y^{16} z^{60},$
 $x^{539} y^{34} z^{49}, x^{540} y^{52} z^{38}, x^{543} y^{106} z^5, x^{547} y^9 z^{64}, x^{548} y^{27} z^{53}, x^{552} y^{99} z^9, x^{557} y^{20} z^{57},$
 $x^{566} y^{13} z^{61}, x^{568} y^{49} z^{39}, x^{571} y^{103} z^6, x^{575} y^6 z^{65}, x^{576} y^{24} z^{54}, x^{578} y^{60} z^{32}, x^{580} y^{96} z^{10},$
 $x^{589} y^{89} z^{14}, x^{594} y^{10} z^{62}, x^{596} y^{46} z^{40}, x^{598} y^{82} z^{18}, x^{599} y^{100} z^7, x^{603} y^3 z^{66}, x^{604} y^{21} z^{55},$
 $x^{609} y^{111}, x^{617} y^{86} z^{15}, x^{622} y^7 z^{63}, x^{623} y^{25} z^{52}, x^{631} z^{67}, x^{636} y^{90} z^{12}, x^{637} y^{108} z, x^{641} y^{11} z^{60},$
 $x^{642} y^{29} z^{49}, x^{643} y^{47} z^{38}, x^{646} y^{101} z^5, x^{650} y^4 z^{64}, x^{651} y^{22} z^{53}, x^{660} y^{15} z^{57}, x^{661} y^{33} z^{46},$
 $x^{662} y^{51} z^{35}, x^{664} y^{87} z^{13}, x^{665} y^{105} z^2, x^{669} y^8 z^{61}, x^{670} y^{26} z^{50}, x^{671} y^{44} z^{39}, x^{673} y^{80} z^{17},$
 $x^{679} y^{19} z^{54}, x^{680} y^{37} z^{43}, x^{681} y^{55} z^{32}, x^{683} y^{91} z^{10}, x^{688} y^{12} z^{58}, x^{690} y^{48} z^{36}, x^{693} y^{102} z^3,$
 $x^{697} y^5 z^{62}, x^{698} y^{23} z^{51}, x^{699} y^{41} z^{40}, x^{707} y^{16} z^{55}, x^{712} y^{106}, x^{716} y^9 z^{59}, x^{717} y^{27} z^{48}, x^{720} y^{81} z^{15},$
 $x^{721} y^{99} z^4, x^{726} y^{20} z^{52}, x^{730} y^{92} z^8, x^{740} y^{103} z, x^{744} y^6 z^{60}, x^{745} y^{24} z^{49}, x^{746} y^{42} z^{38}, x^{749} y^{96} z^5,$
 $x^{754} y^{17} z^{53}, x^{756} y^{53} z^{31}, x^{758} y^{89} z^9, x^{763} y^{10} z^{57}, x^{768} y^{100} z^2, x^{772} y^3 z^{61}, x^{773} y^{21} z^{50},$
 $x^{774} y^{39} z^{39}, x^{775} y^{57} z^{28}, x^{776} y^{75} z^{17}, x^{777} y^{93} z^6, x^{782} y^{14} z^{54}, x^{784} y^{50} z^{32}, x^{793} y^{43} z^{36},$
 $x^{801} y^{18} z^{51}, x^{802} y^{36} z^{40}, x^{803} y^{54} z^{29}, x^{804} y^{72} z^{18}, x^{805} y^{90} z^7, x^{810} y^{11} z^{55}, x^{814} y^{83} z^{11},$
 $x^{819} y^4 z^{59}, x^{821} y^{40} z^{37}, x^{822} y^{58} z^{26}, x^{824} y^{94} z^4, x^{832} y^{69} z^{19}, x^{841} y^{62} z^{23}, x^{842} y^{80} z^{12},$
 $x^{850} y^{55} z^{27}, x^{852} y^{91} z^5, x^{860} y^{66} z^{20}, x^{861} y^{84} z^9, x^{866} y^5 z^{57}, x^{868} y^{41} z^{35}, x^{870} y^{77} z^{13}, x^{877} y^{34} z^{39},$
 $x^{878} y^{52} z^{28}, x^{879} y^{70} z^{17}, x^{880} y^{88} z^6, x^{887} y^{45} z^{32}, x^{888} y^{63} z^{21}, x^{894} y^2 z^{58}, x^{896} y^{38} z^{36},$
 $x^{898} y^{74} z^{14}, x^{904} y^{13} z^{51}, x^{905} y^{31} z^{40}, x^{908} y^{85} z^7, x^{913} y^6 z^{55}, x^{915} y^{42} z^{33}, x^{916} y^{60} z^{22},$
 $x^{923} y^{17} z^{48}, x^{924} y^{35} z^{37}, x^{925} y^{53} z^{26}, x^{926} y^{71} z^{15}, x^{927} y^{89} z^4, x^{933} y^{28} z^{41}, x^{934} y^{46} z^{30},$
 $x^{942} y^{21} z^{45}, x^{943} y^{39} z^{34}, x^{945} y^{75} z^{12}, x^{946} y^{93} z, x^{951} y^{14} z^{49}, x^{952} y^{32} z^{38}, x^{953} y^{50} z^{27},$
 $x^{954} y^{68} z^{16}, x^{955} y^{86} z^5, x^{962} y^{43} z^{31}, x^{964} y^{79} z^9, x^{969} y^{57}, x^{970} y^{18} z^{46}, x^{971} y^{36} z^{35}, x^{972} y^{54} z^{24},$
 $x^{973} y^{72} z^{13}, x^{974} y^{90} z^2, x^{982} y^{65} z^{17}, x^{983} y^{83} z^6, x^{989} y^{22} z^{43}, x^{990} y^{40} z^{32}, x^{992} y^{76} z^{10},$
 $x^{998} y^{15} z^{47}, x^{1000} y^{51} z^{25}, x^{1001} y^{69} z^{14}, x^{1002} y^{87} z^3, x^{1008} y^{26} z^{40}, x^{1011} y^{80} z^7, x^{1018} y^{37} z^{33},$
 $x^{1019} y^{55} z^{22}, x^{1020} y^{73} z^{11}, x^{1021} y^{91}, x^{1026} y^{12} z^{48}, x^{1028} y^{48} z^{26}, x^{1030} y^{84} z^4, x^{1035} y^5 z^{52},$
 $x^{1036} y^{23} z^{41}, x^{1037} y^{41} z^{30}, x^{1047} y^{52} z^{23}, x^{1048} y^{70} z^{12}, x^{1049} y^{88} z, x^{1055} y^{27} z^{38}, x^{1057} y^{63} z^{16},$
 $x^{1058} y^{81} z^5, x^{1063} y^2 z^{53}, x^{1064} y^{20} z^{42}, x^{1065} y^{38} z^{31}, x^{1067} y^{74} z^9, x^{1076} y^{67} z^{13}, x^{1077} y^{85} z^2,$
 $x^{1083} y^{24} z^{39}, x^{1084} y^{42} z^{28}, x^{1085} y^{60} z^{17}, x^{1086} y^{78} z^6, x^{1092} y^{17} z^{43}, x^{1094} y^{53} z^{21}, x^{1101} y^{10} z^{47},$
 $x^{1105} y^{82} z^3, x^{1111} y^{21} z^{40}, x^{1112} y^{39} z^{29}, x^{1114} y^{75} z^7, x^{1120} y^{14} z^{44}, x^{1123} y^{68} z^{11}, x^{1129} y^7 z^{48},$
 $x^{1130} y^{25} z^{37}, x^{1131} y^{43} z^{26}, x^{1148} y^{11} z^{45}, x^{1157} y^4 z^{49}, x^{1158} y^{22} z^{38}, x^{1160} y^{58} z^{16}, x^{1167} y^{15} z^{42},$
 $x^{1168} y^{33} z^{31}, x^{1170} y^{69} z^9, x^{1177} y^{26} z^{35}, x^{1178} y^{44} z^{24}, x^{1186} y^{19} z^{39}, x^{1188} y^{55} z^{17}, x^{1196} y^{30} z^{32},$
 $x^{1198} y^{66} z^{10}, x^{1206} y^{41} z^{25}, x^{1207} y^{59} z^{14}, x^{1216} y^{52} z^{18}, x^{1223} y^9 z^{44}, x^{1224} y^{27} z^{33}, x^{1225} y^{45} z^{22},$
 $x^{1227} y^{81}, x^{1235} y^{56} z^{15}, x^{1242} y^{13} z^{41}, x^{1245} y^{67} z^8, x^{1251} y^6 z^{45}, x^{1252} y^{24} z^{34}, x^{1253} y^{42} z^{23},$
 $x^{1255} y^{78} z, x^{1262} y^{35} z^{27}, x^{1263} y^{53} z^{16}, x^{1270} y^{10} z^{42}, x^{1272} y^{46} z^{20}, x^{1279} y^3 z^{46}, x^{1280} y^{21} z^{35},$
 $x^{1282} y^{57} z^{13}, x^{1283} y^{75} z^2, x^{1289} y^{14} z^{39}, x^{1290} y^{32} z^{28}, x^{1291} y^{50} z^{17}, x^{1292} y^{68} z^6, x^{1299} y^{25} z^{32},$
 $x^{1300} y^{43} z^{21}, x^{1307} z^{47}, x^{1309} y^{36} z^{25}, x^{1318} y^{29} z^{29}, x^{1320} y^{65} z^7, x^{1327} y^{22} z^{33}, x^{1328} y^{40} z^{22},$
 $x^{1330} y^{76}, x^{1345} y^8 z^{41}, x^{1346} y^{26} z^{30}, x^{1348} y^{62} z^8, x^{1356} y^{37} z^{23}, x^{1374} y^{23} z^{31}, x^{1375} y^{41} z^{20},$
 $x^{1393} y^{27} z^{28}, x^{1394} y^{45} z^{17}, x^{1395} y^{63} z^6, x^{1402} y^{20} z^{32}, x^{1403} y^{38} z^{21}, x^{1411} y^{13} z^{36}, x^{1412} y^{31} z^{25},$
 $x^{1413} y^{49} z^{14}, x^{1414} y^{67} z^3, x^{1421} y^{24} z^{29}, x^{1422} y^{42} z^{18}, x^{1423} y^{60} z^7, x^{1431} y^{35} z^{22}, x^{1432} y^{53} z^{11},$

$$\begin{aligned}
& x^{1433} y^{71}, x^{1439} y^{10} z^{37}, x^{1440} y^{28} z^{26}, x^{1442} y^{64} z^4, x^{1449} y^{21} z^{30}, x^{1450} y^{39} z^{19}, x^{1451} y^{57} z^8, \\
& x^{1459} y^{32} z^{23}, x^{1468} y^{25} z^{27}, x^{1469} y^{43} z^{16}, x^{1478} y^{36} z^{20}, x^{1496} y^{22} z^{28}, x^{1497} y^{40} z^{17}, x^{1498} y^{58} z^6, \\
& x^{1515} y^{26} z^{25}, x^{1516} y^{44} z^{14}, x^{1524} y^{19} z^{29}, x^{1525} y^{37} z^{18}, x^{1526} y^{55} z^7, x^{1534} y^{30} z^{22}, x^{1535} y^{48} z^{11}, \\
& x^{1544} y^{41} z^{15}, x^{1553} y^{34} z^{19}, x^{1561} y^9 z^{34}, x^{1562} y^{27} z^{23}, x^{1564} y^{63} z, x^{1571} y^{20} z^{27}, x^{1572} y^{38} z^{16}, \\
& x^{1589} y^6 z^{35}, x^{1592} y^{60} z^2, x^{1617} y^3 z^{36}, x^{1618} y^{21} z^{25}, x^{1619} y^{39} z^{14}, x^{1629} y^{50} z^7, x^{1638} y^{43} z^{11}, \\
& x^{1639} y^{61}, x^{1645} z^{37}, x^{1646} y^{18} z^{26}, x^{1647} y^{36} z^{15}, x^{1655} y^{11} z^{30}, x^{1657} y^{47} z^8, x^{1666} y^{40} z^{12}, \\
& x^{1667} y^{58} z, x^{1683} y^8 z^{31}, x^{1693} y^{19} z^{24}, x^{1694} y^{37} z^{13}, x^{1703} y^{30} z^{17}, x^{1711} y^5 z^{32}, x^{1713} y^{41} z^{10}, \\
& x^{1730} y^9 z^{29}, x^{1731} y^{27} z^{18}, x^{1739} y^2 z^{33}, x^{1740} y^{20} z^{22}, x^{1751} y^{49} z^4, x^{1760} y^{42} z^8, x^{1768} y^{17} z^{23}, \\
& x^{1769} y^{35} z^{12}, x^{1778} y^{28} z^{16}, x^{1779} y^{46} z^5, x^{1796} y^{14} z^{24}, x^{1797} y^{32} z^{13}, x^{1807} y^{43} z^6, x^{1835} y^{40} z^7, \\
& x^{1843} y^{15} z^{22}, x^{1844} y^{33} z^{11}, x^{1845} y^{51}, x^{1861} y z^{30}, x^{1862} y^{19} z^{19}, x^{1863} y^{37} z^8, x^{1871} y^{12} z^{23}, \\
& x^{1873} y^{48} z, x^{1880} y^5 z^{27}, x^{1881} y^{23} z^{16}, x^{1882} y^{41} z^5, x^{1890} y^{16} z^{20}, x^{1891} y^{34} z^9, x^{1899} y^9 z^{24}, \\
& x^{1910} y^{38} z^6, x^{1929} y^{42} z^3, x^{1938} y^{35} z^7, x^{1946} y^{10} z^{22}, x^{1948} y^{46}, x^{1956} y^{21} z^{15}, x^{1966} y^{32} z^8, \\
& x^{1974} y^7 z^{23}, x^{1975} y^{25} z^{12}, x^{1984} y^{18} z^{16}, x^{1993} y^{11} z^{20}, x^{2002} y^4 z^{24}, x^{2003} y^{22} z^{13}, x^{2013} y^{33} z^6, \\
& x^{2021} y^8 z^{21}, x^{2022} y^{26} z^{10}, x^{2041} y^{30} z^7, x^{2050} y^{23} z^{11}, x^{2051} y^{41}, x^{2060} y^{34} z^4, x^{2068} y^9 z^{19}, \\
& x^{2077} y^2 z^{23}, x^{2078} y^{20} z^{12}, x^{2087} y^{13} z^{16}, x^{2088} y^{31} z^5, x^{2107} y^{35} z^2, x^{2116} y^{28} z^6, x^{2125} y^{21} z^{10}, \\
& x^{2134} y^{14} z^{14}, x^{2135} y^{32} z^3, x^{2152} z^{22}, x^{2153} y^{18} z^{11}, x^{2162} y^{11} z^{15}, x^{2171} y^4 z^{19}, x^{2172} y^{22} z^8, \\
& x^{2182} y^{33} z, x^{2200} y^{19} z^9, x^{2219} y^{23} z^6, x^{2228} y^{16} z^{10}, x^{2237} y^9 z^{14}, x^{2246} y^2 z^{18}, x^{2247} y^{20} z^7, \\
& x^{2257} y^{31}, x^{2265} y^6 z^{15}, x^{2284} y^{10} z^{12}, x^{2285} y^{28} z, x^{2294} y^{21} z^5, x^{2312} y^7 z^{13}, x^{2321} z^{17}, x^{2331} y^{11} z^{10}, \\
& x^{2360} y^{26}, x^{2368} y z^{15}, x^{2378} y^{12} z^8, x^{2388} y^{23} z, x^{2406} y^9 z^9, x^{2416} y^{20} z^2, x^{2462} y^3 z^{11}, x^{2463} y^{21}, \\
& x^{2490} z^{12}, x^{2509} y^4 z^9, x^{2528} y^8 z^6, x^{2537} y z^{10}, x^{2547} y^{12} z^3, x^{2556} y^5 z^7, x^{2566} y^{16}, x^{2584} y^2 z^8, \\
& x^{2631} y^3 z^6, x^{2650} y^7 z^3, x^{2659} z^7, x^{2669} y^{11}, x^{2678} y^4 z^4, x^{2725} y^5 z^2, x^{2772} y^6, x^{2800} y^3 z, x^{2828} z^2 \}
\end{aligned}$$

In[*]:= d53 = PolynomialMod[

多項式の法

Expand[(y b01 d04^5 d07 d25 - z d03^2 d04 d07^4 d15 - x y b01 d04^5 d32 - x^4 y d02^2 d49 -

展開

x^6 y d02 d04^11 d07 - x^7 y b01 d03 d07^7 - x^10 y d03 d04 d07^3 d25 -

x^13 y d03^2 d04 d43 - x^16 y d04 d07^7 - x^18 b01^2 d04^2 d07^4 d15 -

x^19 b01 d02 d04 d07^3 d25 - x^20 b01 d02 d04 d07^2 d32 - x^21 a01 b01 d07^2 d37 -

x^25 b01 d04^6 d07^4 - x^28 d04^7 d25 - x^29 d04^6 d29 - x^32 d04 d49) / x^33], 2];

MonomialList[d53, Reverse[{y, z, x}], "NegativeLexicographic"]

単項式リスト

反転

Out[*]:= { {y¹⁵², x y z⁹², x³ y³⁷ z⁷⁰, x⁷ y¹⁰⁹ z²⁶, x¹⁴ y⁶⁶ z⁵², x¹⁵ y⁸⁴ z⁴¹, x¹⁸ y¹³⁸ z⁸, x²¹ y²³ z⁷⁸, x²⁵ y⁹⁵ z³⁴,
x³⁰ y¹⁶ z⁸², x³⁴ y⁸⁸ z³⁸, x³⁶ y¹²⁴ z¹⁶, x⁴¹ y⁴⁵ z⁶⁴, x⁴³ y⁸¹ z⁴², x⁵⁰ y³⁸ z⁶⁸, x⁵¹ y⁵⁶ z⁵⁷, x⁵⁵ y¹²⁸ z¹³,
x⁶¹ y⁶⁷ z⁵⁰, x⁷⁰ y⁶⁰ z⁵⁴, x⁸⁶ y¹⁰ z⁸⁴, x⁸⁷ y²⁸ z⁷³, x¹¹⁷ y⁶¹ z⁵², x¹²¹ y¹³³ z⁸, x¹²³ z⁸⁹, x¹²⁴ y¹⁸ z⁷⁸,
x¹²⁶ y⁵⁴ z⁵⁶, x¹²⁷ y⁷² z⁴⁵, x¹²⁸ y⁹⁰ z³⁴, x¹⁴⁴ y⁴⁰ z⁶⁴, x¹⁵³ y³³ z⁶⁸, x¹⁵⁷ y¹⁰⁵ z²⁴, x¹⁵⁹ y¹⁴¹ z²,
x¹⁶⁴ y⁶² z⁵⁰, x¹⁶⁶ y⁹⁸ z²⁸, x¹⁶⁷ y¹¹⁶ z¹⁷, x¹⁷¹ y¹⁹ z⁷⁶, x¹⁷⁵ y⁹¹ z³², x¹⁷⁷ y¹²⁷ z¹⁰, x¹⁸⁰ y¹² z⁸⁰,
x¹⁸⁶ y¹²⁰ z¹⁴, x¹⁹³ y⁷⁷ z⁴⁰, x¹⁹⁵ y¹¹³ z¹⁸, x²⁰⁶ y¹⁴², x²⁰⁹ y²⁷ z⁷⁰, x²¹¹ y⁶³ z⁴⁸, x²¹⁸ y²⁰ z⁷⁴,
x²²⁰ y⁵⁶ z⁵², x²²⁴ y¹²⁸ z⁸, x²³³ y¹²¹ z¹², x²⁴⁹ y⁷¹ z⁴², x²⁵⁶ y²⁸ z⁶⁸, x²⁵⁸ y⁶⁴ z⁴⁶, x²⁷⁵ y³² z⁶⁵,
x²⁷⁸ y⁸⁶ z³², x²⁸⁰ y¹²² z¹⁰, x²⁹⁶ y⁷² z⁴⁰, x³⁰³ y²⁹ z⁶⁶, x³⁰⁵ y⁶⁵ z⁴⁴, x³⁰⁷ y¹⁰¹ z²², x³⁰⁹ y¹³⁷,
x³¹² y²² z⁷⁰, x³¹⁴ y⁵⁸ z⁴⁸, x³²¹ y¹⁵ z⁷⁴, x³²⁵ y⁸⁷ z³⁰, x³²⁷ y¹²³ z⁸, x³³⁰ y⁸ z⁷⁸, x³³⁴ y⁸⁰ z³⁴,
x³⁴⁵ y¹⁰⁹ z¹⁶, x³⁵⁰ y³⁰ z⁶⁴, x³⁵¹ y⁴⁸ z⁵³, x³⁵² y⁶⁶ z⁴², x³⁵⁴ y¹⁰² z²⁰, x³⁵⁹ y²³ z⁶⁸, x³⁶⁵ y¹³¹ z²,
x³⁷⁴ y¹²⁴ z⁶, x³⁷⁹ y⁴⁵ z⁵⁴, x³⁸³ y¹¹⁷ z¹⁰, x³⁸⁶ y² z⁸⁰, x³⁹⁰ y⁷⁴ z³⁶, x³⁹⁷ y³¹ z⁶², x³⁹⁹ y⁶⁷ z⁴⁰,
x⁴⁰⁶ y²⁴ z⁶⁶, x⁴¹⁵ y¹⁷ z⁷⁰, x⁴¹⁹ y⁸⁹ z²⁶, x⁴²¹ y¹²⁵ z⁴, x⁴²⁴ y¹⁰ z⁷⁴, x⁴²⁶ y⁴⁶ z⁵², x⁴²⁷ y⁶⁴ z⁴¹,
x⁴²⁸ y⁸² z³⁰, x⁴⁵³ y²⁵ z⁶⁴, x⁴⁶⁸ y¹²⁶ z², x⁴⁷¹ y¹¹ z⁷², x⁴⁷³ y⁴⁷ z⁵⁰, x⁴⁷⁵ y⁸³ z²⁸, x⁴⁸² y⁴⁰ z⁵⁴,
x⁴⁸⁴ y⁷⁶ z³², x⁴⁹¹ y³³ z⁵⁸, x⁵⁰⁰ y²⁶ z⁶², x⁵⁰² y⁶² z⁴⁰, x⁵⁰³ y⁸⁰ z²⁹, x⁵¹³ y⁹¹ z²², x⁵¹⁵ y¹²⁷, x⁵²² y⁸⁴ z²⁶,
x⁵²⁴ y¹²⁰ z⁴, x⁵²⁹ y⁴¹ z⁵², x⁵³³ y¹¹³ z⁸, x⁵⁴² y¹⁰⁶ z¹², x⁵⁴⁷ y²⁷ z⁶⁰, x⁵⁵⁶ y²⁰ z⁶⁴, x⁵⁶⁰ y⁹² z²⁰,
x⁵⁶⁹ y⁸⁵ z²⁴, x⁵⁷⁴ y⁶ z⁷², x⁵⁷⁵ y²⁴ z⁶¹, x⁵⁷⁶ y⁴² z⁵⁰, x⁵⁸⁵ y³⁵ z⁵⁴, x⁵⁹⁴ y²⁸ z⁵⁸, x⁶⁰⁷ y⁹³ z¹⁸,
x⁶¹⁵ y⁶⁸ z³³, x⁶¹⁶ y⁸⁶ z²², x⁶²³ y⁴³ z⁴⁸, x⁶³² y³⁶ z⁵², x⁶⁴¹ y²⁹ z⁵⁶, x⁶⁴³ y⁶⁵ z³⁴, x⁶⁵¹ y⁴⁰ z⁴⁹,

$x^{663} y^{87} z^{20}, x^{672} y^{80} z^{24}, x^{679} y^{37} z^{50}, x^{683} y^{109} z^6, x^{687} y^{12} z^{65}, x^{688} y^{30} z^{54}, x^{690} y^{66} z^{32},$
 $x^{701} y^{95} z^{14}, x^{710} y^{88} z^{18}, x^{715} y^9 z^{66}, x^{719} y^{81} z^{22}, x^{721} y^{117}, x^{727} y^{56} z^{37}, x^{730} y^{110} z^4, x^{735} y^{31} z^{52},$
 $x^{744} y^{24} z^{56}, x^{755} y^{53} z^{38}, x^{757} y^{89} z^{16}, x^{766} y^{82} z^{20}, x^{767} y^{100} z^9, x^{773} y^{39} z^{46}, x^{777} y^{111} z^2,$
 $x^{782} y^{32} z^{50}, x^{786} y^{104} z^6, x^{791} y^{25} z^{54}, x^{799} y^{69}, x^{802} y^{54} z^{36}, x^{803} y^{72} z^{25}, x^{804} y^{90} z^{14}, x^{813} y^{83} z^{18},$
 $x^{822} y^{76} z^{22}, x^{824} y^{112}, x^{829} y^{33} z^{48}, x^{838} y^{26} z^{52}, x^{842} y^{98} z^8, x^{849} y^{55} z^{34}, x^{851} y^{91} z^{12}, x^{858} y^{48} z^{38},$
 $x^{860} y^{84} z^{16}, x^{865} y^5 z^{64}, x^{867} y^{41} z^{42}, x^{869} y^{77} z^{20}, x^{875} y^{16} z^{57}, x^{876} y^{34} z^{46}, x^{878} y^{70} z^{24},$
 $x^{879} y^{88} z^{13}, x^{880} y^{106} z^2, x^{885} y^{27} z^{50}, x^{889} y^{99} z^6, x^{894} y^{20} z^{54}, x^{896} y^{56} z^{32}, x^{898} y^{92} z^{10},$
 $x^{903} y^{13} z^{58}, x^{905} y^{49} z^{36}, x^{914} y^{42} z^{40}, x^{916} y^{78} z^{18}, x^{923} y^{35} z^{44}, x^{927} y^{107}, x^{936} y^{100} z^4, x^{941} y^{21} z^{52},$
 $x^{945} y^{93} z^8, x^{950} y^{14} z^{56}, x^{952} y^{50} z^{34}, x^{961} y^{43} z^{38}, x^{963} y^{79} z^{16}, x^{968} z^{64}, x^{970} y^{36} z^{42}, x^{972} y^{72} z^{20},$
 $x^{988} y^{22} z^{50}, x^{992} y^{94} z^6, x^{999} y^{51} z^{32}, x^{1008} y^{44} z^{36}, x^{1027} y^{48} z^{33}, x^{1035} y^{23} z^{48}, x^{1039} y^{95} z^4,$
 $x^{1044} y^{16} z^{52}, x^{1048} y^{88} z^8, x^{1053} y^9 z^{56}, x^{1062} y^2 z^{60}, x^{1063} y^{20} z^{49}, x^{1064} y^{38} z^{38}, x^{1066} y^{74} z^{16},$
 $x^{1073} y^{31} z^{42}, x^{1082} y^{24} z^{46}, x^{1091} y^{17} z^{50}, x^{1095} y^{89} z^6, x^{1102} y^{46} z^{32}, x^{1103} y^{64} z^{21}, x^{1111} y^{39} z^{36},$
 $x^{1129} y^{25} z^{44}, x^{1131} y^{61} z^{22}, x^{1138} y^{18} z^{48}, x^{1142} y^{90} z^4, x^{1149} y^{47} z^{30}, x^{1158} y^{40} z^{34}, x^{1167} y^{33} z^{38},$
 $x^{1175} y^8 z^{53}, x^{1176} y^{26} z^{42}, x^{1178} y^{62} z^{20}, x^{1179} y^{80} z^9, x^{1189} y^{91} z^2, x^{1198} y^{84} z^6, x^{1214} y^{34} z^{36},$
 $x^{1223} y^{27} z^{40}, x^{1225} y^{63} z^{18}, x^{1234} y^{56} z^{22}, x^{1236} y^{92}, x^{1241} y^{13} z^{48}, x^{1243} y^{49} z^{26}, x^{1245} y^{85} z^4,$
 $x^{1251} y^{24} z^{41}, x^{1252} y^{42} z^{30}, x^{1254} y^{78} z^8, x^{1279} y^{21} z^{42}, x^{1281} y^{57} z^{20}, x^{1292} y^{86} z^2, x^{1297} y^7 z^{50},$
 $x^{1299} y^{43} z^{28}, x^{1306} z^{54}, x^{1308} y^{36} z^{32}, x^{1326} y^{22} z^{40}, x^{1327} y^{40} z^{29}, x^{1328} y^{58} z^{18}, x^{1337} y^{51} z^{22}, x^{1339} y^{87},$
 $x^{1346} y^{44} z^{26}, x^{1348} y^{80} z^4, x^{1353} y z^{52}, x^{1375} y^{59} z^{16}, x^{1384} y^{52} z^{20}, x^{1393} y^{45} z^{24}, x^{1400} y^2 z^{50},$
 $x^{1403} y^{56} z^{17}, x^{1429} y^{17} z^{40}, x^{1431} y^{53} z^{18}, x^{1438} y^{10} z^{44}, x^{1440} y^{46} z^{22}, x^{1442} y^{82}, x^{1447} y^3 z^{48},$
 $x^{1475} z^{49}, x^{1479} y^{72} z^5, x^{1487} y^{47} z^{20}, x^{1496} y^{40} z^{24}, x^{1505} y^{33} z^{28}, x^{1514} y^{26} z^{32}, x^{1543} y^{41} z^{22},$
 $x^{1545} y^{77}, x^{1551} y^{16} z^{37}, x^{1581} y^{49} z^{16}, x^{1591} y^{60} z^9, x^{1601} y^{71} z^2, x^{1610} y^{64} z^6, x^{1617} y^{21} z^{32},$
 $x^{1619} y^{57} z^{10}, x^{1637} y^{43} z^{18}, x^{1646} y^{36} z^{22}, x^{1648} y^{72}, x^{1663} y^4 z^{41}, x^{1691} y z^{42}, x^{1693} y^{37} z^{20},$
 $x^{1702} y^{30} z^{24}, x^{1703} y^{48} z^{13}, x^{1704} y^{66} z^2, x^{1720} y^{16} z^{32}, x^{1729} y^9 z^{36}, x^{1738} y^2 z^{40}, x^{1740} y^{38} z^{18},$
 $x^{1751} y^{67}, x^{1769} y^{53} z^8, x^{1787} y^{39} z^{16}, x^{1796} y^{32} z^{20}, x^{1825} y^{47} z^{10}, x^{1834} y^{40} z^{14}, x^{1851} y^8 z^{33},$
 $x^{1854} y^{62}, x^{1872} y^{48} z^8, x^{1879} y^5 z^{34}, x^{1927} y^{24} z^{21}, x^{1928} y^{42} z^{10}, x^{1955} y^{21} z^{22}, x^{1966} y^{50} z^4,$
 $x^{1973} y^7 z^{30}, x^{1975} y^{43} z^8, x^{1982} z^{34}, x^{2002} y^{22} z^{20}, x^{2003} y^{40} z^9, x^{2013} y^{51} z^2, x^{2022} y^{44} z^6, x^{2029} y z^{32},$
 $x^{2049} y^{23} z^{18}, x^{2058} y^{16} z^{22}, x^{2067} y^9 z^{26}, x^{2069} y^{45} z^4, x^{2076} y^2 z^{30}, x^{2105} y^{17} z^{20}, x^{2116} y^{46} z^2,$
 $x^{2123} y^3 z^{28}, x^{2151} z^{29}, x^{2152} y^{18} z^{18}, x^{2161} y^{11} z^{22}, x^{2163} y^{47}, x^{2170} y^4 z^{26}, x^{2172} y^{40} z^4, x^{2191} y^{44} z,$
 $x^{2199} y^{19} z^{16}, x^{2208} y^{12} z^{20}, x^{2217} y^5 z^{24}, x^{2219} y^{41} z^2, x^{2227} y^{16} z^{17}, x^{2255} y^{13} z^{18}, x^{2264} y^6 z^{22},$
 $x^{2266} y^{42}, x^{2311} y^7 z^{20}, x^{2320} z^{24}, x^{2331} y^{29} z^6, x^{2349} y^{15} z^{14}, x^{2358} y^8 z^{18}, x^{2367} y z^{22}, x^{2369} y^{37},$
 $x^{2378} y^{30} z^4, x^{2405} y^9 z^{16}, x^{2415} y^{20} z^9, x^{2452} y^{10} z^{14}, x^{2472} y^{32}, x^{2481} y^{25} z^4, x^{2499} y^{11} z^{12}, x^{2508} y^4 z^{16},$
 $x^{2537} y^{19} z^6, x^{2546} y^{12} z^{10}, x^{2584} y^{20} z^4, x^{2603} y^{24} z, x^{2631} y^{21} z^2, x^{2640} y^{14} z^6, x^{2649} y^7 z^{10},$
 $x^{2658} z^{14}, x^{2678} y^{22}, x^{2687} y^{15} z^4, x^{2705} y z^{12}, x^{2743} y^9 z^6, x^{2752} y^2 z^{10}, x^{2781} y^{17}, x^{2799} y^3 z^8,$
 $x^{2837} y^{11} z^2, x^{2846} y^4 z^6, x^{2893} y^5 z^4, x^{2940} y^6 z^2, x^{2987} y^7, x^{2996} z^4, x^{3015} y^4 z, x^{3043} y z^2 \} \}$

In[*]:=

d56 = PolynomialMod[Expand[

[多項式の法](#)

[展開](#)

$(y b01 d04^4 d07^2 d25 - z d03^2 d07^5 d15 - x y b01 d04^4 d07 d32 - x^4 y a01 d02 d04 d49 -$
 $x^5 y a01 d02 d53 - x^9 y a01^2 d04 d07^5 d15 - x^{13} y d03^2 d07 d43 - x^{16} y d07^8 -$
 $x^{18} b01^2 d04 d07^5 d15 - x^{19} b01 d02 d07^4 d25 - x^{20} b01 d02 d07^3 d32 -$
 $x^{21} a01 d02^2 d07^2 d37 - x^{22} b01 d02 d03 d07 d43 - x^{23} a01^3 d04 d49 -$
 $x^{24} a01^3 d53 - x^{28} d04^6 d07 d25 - x^{29} d04^6 d32) / x^{33}, 2];$

MonomialList[d56, Reverse[{y, z, x}], "NegativeLexicographic"]

[単項式リスト](#)

[反転](#)

Out[*]= { {y¹⁵⁴ z⁴, x y³ z⁹⁶, x⁵ y⁷⁵ z⁵², x⁶ y⁹³ z⁴¹, x⁹ y¹⁴⁷ z⁸, x¹¹ y¹⁴ z⁸⁹, x¹⁴ y⁶⁸ z⁵⁶, x¹⁸ y¹⁴⁰ z¹², x¹⁹ y¹⁵⁸ z,
 $x^{20} y^7 z^{93}, x^{21} y^{25} z^{82}, x^{22} y^{43} z^{71}, x^{23} y^{61} z^{60}, x^{25} y^{97} z^{38}, x^{26} y^{115} z^{27}, x^{27} y^{133} z^{16}, x^{29} z^{97},$

$x^{33} y^{72} z^{53}, x^{36} y^{126} z^{20}, x^{37} y^{144} z^9, x^{39} y^{11} z^{90}, x^{40} y^{29} z^{79}, x^{42} y^{65} z^{57}, x^{44} y^{101} z^{35}, x^{46} y^{137} z^{13},$
 $x^{47} y^{155} z^2, x^{49} y^{22} z^{83}, x^{51} y^{58} z^{61}, x^{53} y^{94} z^{39}, x^{54} y^{112} z^{28}, x^{55} y^{130} z^{17}, x^{58} y^{15} z^{87}, x^{59} y^{33} z^{76},$
 $x^{60} y^{51} z^{65}, x^{65} y^{141} z^{10}, x^{67} y^8 z^{91}, x^{68} y^{26} z^{80}, x^{70} y^{62} z^{58}, x^{72} y^{98} z^{36}, x^{74} y^{134} z^{14}, x^{75} y^{152} z^3,$
 $x^{77} y^{19} z^{84}, x^{79} y^{55} z^{62}, x^{80} y^{73} z^{51}, x^{82} y^{109} z^{29}, x^{83} y^{127} z^{18}, x^{87} y^{30} z^{77}, x^{90} y^{84} z^{44}, x^{91} y^{102} z^{33},$
 $x^{93} y^{138} z^{11}, x^{94} y^{156}, x^{95} y^5 z^{92}, x^{96} y^{23} z^{81}, x^{97} y^{41} z^{70}, x^{100} y^{95} z^{37}, x^{102} y^{131} z^{15}, x^{103} y^{149} z^4,$
 $x^{105} y^{16} z^{85}, x^{107} y^{52} z^{63}, x^{110} y^{106} z^{30}, x^{111} y^{124} z^{19}, x^{112} y^{142} z^8, x^{121} y^{135} z^{12}, x^{123} y^2 z^{93},$
 $x^{124} y^{20} z^{82}, x^{125} y^{38} z^{71}, x^{128} y^{92} z^{38}, x^{130} y^{128} z^{16}, x^{131} y^{146} z^5, x^{133} y^{13} z^{86}, x^{135} y^{49} z^{64},$
 $x^{138} y^{103} z^{31}, x^{139} y^{121} z^{20}, x^{140} y^{139} z^9, x^{146} y^{78} z^{46}, x^{149} y^{132} z^{13}, x^{150} y^{150} z^2, x^{152} y^{17} z^{83},$
 $x^{153} y^{35} z^{72}, x^{154} y^{53} z^{61}, x^{155} y^{71} z^{50}, x^{156} y^{89} z^{39}, x^{158} y^{125} z^{17}, x^{159} y^{143} z^6, x^{161} y^{10} z^{87},$
 $x^{162} y^{28} z^{76}, x^{163} y^{46} z^{65}, x^{164} y^{64} z^{54}, x^{167} y^{118} z^{21}, x^{172} y^{39} z^{69}, x^{173} y^{57} z^{58}, x^{174} y^{75} z^{47},$
 $x^{175} y^{93} z^{36}, x^{176} y^{111} z^{25}, x^{177} y^{129} z^{14}, x^{181} y^{32} z^{73}, x^{183} y^{68} z^{51}, x^{184} y^{86} z^{40}, x^{186} y^{122} z^{18},$
 $x^{187} y^{140} z^7, x^{192} y^{61} z^{55}, x^{193} y^{79} z^{44}, x^{195} y^{115} z^{22}, x^{196} y^{133} z^{11}, x^{197} y^{151}, x^{198} y^9 z^2, x^{200} y^{36} z^{70},$
 $x^{201} y^{54} z^{59}, x^{203} y^{90} z^{37}, x^{204} y^{108} z^{26}, x^{205} y^{126} z^{15}, x^{206} y^{144} z^4, x^{209} y^{29} z^{74}, x^{211} y^{65} z^{52},$
 $x^{212} y^{83} z^{41}, x^{213} y^{101} z^{30}, x^{214} y^{119} z^{19}, x^{220} y^{58} z^{56}, x^{221} y^{76} z^{45}, x^{222} y^{94} z^{34}, x^{223} y^{112} z^{23},$
 $x^{224} y^{130} z^{12}, x^{225} y^{148} z, x^{228} y^{33} z^{71}, x^{230} y^{69} z^{49}, x^{231} y^{87} z^{38}, x^{233} y^{123} z^{16}, x^{237} y^{26} z^{75},$
 $x^{238} y^{44} z^{64}, x^{239} y^{62} z^{53}, x^{240} y^{80} z^{42}, x^{241} y^{98} z^{31}, x^{246} y^{19} z^{79}, x^{249} y^{73} z^{46}, x^{250} y^{91} z^{35},$
 $x^{253} y^{145} z^2, x^{256} y^{30} z^{72}, x^{258} y^{66} z^{50}, x^{259} y^{84} z^{39}, x^{260} y^{102} z^{28}, x^{261} y^{120} z^{17}, x^{262} y^{138} z^6,$
 $x^{268} y^{77} z^{43}, x^{269} y^{95} z^{32}, x^{277} y^{70} z^{47}, x^{280} y^{124} z^{14}, x^{281} y^{142} z^3, x^{283} y^9 z^{84}, x^{284} y^{27} z^{73},$
 $x^{287} y^{81} z^{40}, x^{290} y^{135} z^7, x^{292} y^2 z^{88}, x^{296} y^{74} z^{44}, x^{297} y^{92} z^{33}, x^{300} y^{146}, x^{302} y^{13} z^{81}, x^{306} y^{85} z^{37},$
 $x^{307} y^{103} z^{26}, x^{308} y^{121} z^{15}, x^{309} y^{139} z^4, x^{311} y^6 z^{85}, x^{312} y^{24} z^{74}, x^{321} y^{17} z^{78}, x^{322} y^{35} z^{67},$
 $x^{326} y^{107} z^{23}, x^{327} y^{125} z^{12}, x^{328} y^{143} z, x^{335} y^{100} z^{27}, x^{336} y^{118} z^{16}, x^{337} y^{136} z^5, x^{339} y^3 z^{86},$
 $x^{341} y^{39} z^{64}, x^{344} y^{93} z^{31}, x^{346} y^{129} z^9, x^{349} y^{14} z^{79}, x^{352} y^{68} z^{46}, x^{355} y^{122} z^{13}, x^{356} y^{140} z^2,$
 $x^{358} y^7 z^{83}, x^{359} y^{25} z^{72}, x^{361} y^{61} z^{50}, x^{362} y^{79} z^{39}, x^{363} y^{97} z^{28}, x^{364} y^{115} z^{17}, x^{365} y^{133} z^6, x^{367} z^{87},$
 $x^{369} y^{36} z^{65}, x^{370} y^{54} z^{54}, x^{372} y^{90} z^{32}, x^{377} y^{11} z^{80}, x^{380} y^{65} z^{47}, x^{381} y^{83} z^{36}, x^{384} y^{137} z^3,$
 $x^{387} y^{22} z^{73}, x^{389} y^{58} z^{51}, x^{390} y^{76} z^{40}, x^{391} y^{94} z^{29}, x^{392} y^{112} z^{18}, x^{393} y^{130} z^7, x^{396} y^{15} z^{77},$
 $x^{400} y^{87} z^{33}, x^{401} y^{105} z^{22}, x^{405} y^8 z^{81}, x^{409} y^{80} z^{37}, x^{410} y^{98} z^{26}, x^{412} y^{134} z^4, x^{414} y z^{85},$
 $x^{416} y^{37} z^{63}, x^{417} y^{55} z^{52}, x^{421} y^{127} z^8, x^{424} y^{12} z^{78}, x^{428} y^{84} z^{34}, x^{429} y^{102} z^{23}, x^{433} y^5 z^{82},$
 $x^{435} y^{41} z^{60}, x^{437} y^{77} z^{38}, x^{439} y^{113} z^{16}, x^{444} y^{34} z^{64}, x^{445} y^{52} z^{53}, x^{446} y^{70} z^{42}, x^{448} y^{106} z^{20},$
 $x^{449} y^{124} z^9, x^{452} y^9 z^{79}, x^{453} y^{27} z^{68}, x^{454} y^{45} z^{57}, x^{455} y^{63} z^{46}, x^{456} y^{81} z^{35}, x^{458} y^{117} z^{13},$
 $x^{461} y^2 z^{83}, x^{463} y^{38} z^{61}, x^{465} y^{74} z^{39}, x^{467} y^{110} z^{17}, x^{468} y^{128} z^6, x^{471} y^{13} z^{76}, x^{474} y^{67} z^{43},$
 $x^{480} y^6 z^{80}, x^{481} y^{24} z^{69}, x^{483} y^{60} z^{47}, x^{486} y^{114} z^{14}, x^{490} y^{17} z^{73}, x^{492} y^{53} z^{51}, x^{493} y^{71} z^{40},$
 $x^{496} y^{125} z^7, x^{499} y^{10} z^{77}, x^{502} y^{64} z^{44}, x^{504} y^{100} z^{22}, x^{513} y^{93} z^{26}, x^{514} y^{111} z^{15}, x^{515} y^{129} z^4,$
 $x^{518} y^{14} z^{74}, x^{520} y^{50} z^{52}, x^{521} y^{68} z^{41}, x^{522} y^{86} z^{30}, x^{527} y^7 z^{78}, x^{528} y^{25} z^{67}, x^{529} y^{43} z^{56},$
 $x^{530} y^{61} z^{45}, x^{532} y^{97} z^{23}, x^{541} y^{90} z^{27}, x^{543} y^{126} z^5, x^{546} y^{11} z^{75}, x^{549} y^{65} z^{42}, x^{552} y^{119} z^9,$
 $x^{555} y^4 z^{79}, x^{557} y^{40} z^{57}, x^{565} y^{15} z^{72}, x^{567} y^{51} z^{50}, x^{569} y^{87} z^{28}, x^{577} y^{62} z^{43}, x^{580} y^{116} z^{10},$
 $x^{583} y z^{80}, x^{585} y^{37} z^{58}, x^{587} y^{73} z^{36}, x^{589} y^{109} z^{14}, x^{593} y^{12} z^{73}, x^{594} y^{30} z^{62}, x^{595} y^{48} z^{51},$
 $x^{596} y^{66} z^{40}, x^{597} y^{84} z^{29}, x^{598} y^{102} z^{18}, x^{602} y^5 z^{77}, x^{603} y^{23} z^{66}, x^{607} y^{95} z^{22}, x^{612} y^{16} z^{70},$
 $x^{613} y^{34} z^{59}, x^{615} y^{70} z^{37}, x^{617} y^{106} z^{15}, x^{618} y^{124} z^4, x^{621} y^9 z^{74}, x^{623} y^{45} z^{52}, x^{631} y^{20} z^{67},$
 $x^{635} y^{92} z^{23}, x^{636} y^{110} z^{12}, x^{641} y^{31} z^{60}, x^{643} y^{67} z^{38}, x^{644} y^{85} z^{27}, x^{646} y^{121} z^5, x^{649} y^6 z^{75},$
 $x^{651} y^{42} z^{53}, x^{654} y^{96} z^{20}, x^{662} y^{71} z^{35}, x^{669} y^{28} z^{61}, x^{670} y^{46} z^{50}, x^{671} y^{64} z^{39}, x^{672} y^{82} z^{28},$
 $x^{678} y^{21} z^{65}, x^{679} y^{39} z^{54}, x^{681} y^{75} z^{32}, x^{682} y^{93} z^{21}, x^{683} y^{111} z^{10}, x^{690} y^{68} z^{36}, x^{701} y^{97} z^{18},$
 $x^{702} y^{115} z^7, x^{706} y^{18} z^{66}, x^{707} y^{36} z^{55}, x^{709} y^{72} z^{33}, x^{711} y^{108} z^{11}, x^{712} y^{126}, x^{716} y^{29} z^{59},$
 $x^{718} y^{65} z^{37}, x^{719} y^{83} z^{26}, x^{720} y^{101} z^{15}, x^{729} y^{94} z^{19}, x^{737} y^{69} z^{34}, x^{739} y^{105} z^{12}, x^{740} y^{123} z,$
 $x^{744} y^{26} z^{60}, x^{746} y^{62} z^{38}, x^{747} y^{80} z^{27}, x^{748} y^{98} z^{16}, x^{754} y^{37} z^{53}, x^{758} y^{109} z^9, x^{762} y^{12} z^{68},$
 $x^{765} y^{66} z^{35}, x^{767} y^{102} z^{13}, x^{773} y^{41} z^{50}, x^{775} y^{77} z^{28}, x^{786} y^{106} z^{10}, x^{791} y^{27} z^{58}, x^{792} y^{45} z^{47},$
 $x^{793} y^{63} z^{36}, x^{796} y^{117} z^3, x^{801} y^{38} z^{51}, x^{803} y^{74} z^{29}, x^{811} y^{49} z^{44}, x^{818} y^6 z^{70}, x^{819} y^{24} z^{59},$
 $x^{820} y^{42} z^{48}, x^{821} y^{60} z^{37}, x^{822} y^{78} z^{26}, x^{824} y^{114} z^4, x^{830} y^{53} z^{41}, x^{831} y^{71} z^{30}, x^{833} y^{107} z^8,$
 $x^{839} y^{46} z^{45}, x^{840} y^{64} z^{34}, x^{843} y^{118} z, x^{846} y^3 z^{71}, x^{847} y^{21} z^{60}, x^{852} y^{111} z^5, x^{856} y^{14} z^{64},$

$x^{859} y^{68} z^{31}$, $x^{861} y^{104} z^9$, $x^{865} y^7 z^{68}$, $x^{868} y^{61} z^{35}$, $x^{870} y^{97} z^{13}$, $x^{871} y^{115} z^2$, $x^{875} y^{18} z^{61}$,
 $x^{884} y^{11} z^{65}$, $x^{887} y^{65} z^{32}$, $x^{893} y^4 z^{69}$, $x^{894} y^{22} z^{58}$, $x^{898} y^{94} z^{14}$, $x^{899} y^{112} z^3$, $x^{903} y^{15} z^{62}$,
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 $x^{1213} y^{18} z^{51}$, $x^{1215} y^{54} z^{29}$, $x^{1222} y^{11} z^{55}$, $x^{1224} y^{47} z^{33}$, $x^{1227} y^{101}$, $x^{1231} y^4 z^{59}$, $x^{1232} y^{22} z^{48}$,
 $x^{1233} y^{40} z^{37}$, $x^{1235} y^{76} z^{15}$, $x^{1241} y^{15} z^{52}$, $x^{1242} y^{33} z^{41}$, $x^{1244} y^{69} z^{19}$, $x^{1252} y^{44} z^{34}$, $x^{1255} y^{98} z$,
 $x^{1260} y^{19} z^{49}$, $x^{1261} y^{37} z^{38}$, $x^{1269} y^{12} z^{53}$, $x^{1270} y^{30} z^{42}$, $x^{1272} y^{66} z^{20}$, $x^{1278} y^5 z^{57}$, $x^{1279} y^{23} z^{46}$,
 $x^{1280} y^{41} z^{35}$, $x^{1281} y^{59} z^{24}$, $x^{1282} y^{77} z^{13}$, $x^{1288} y^{16} z^{50}$, $x^{1289} y^{34} z^{39}$, $x^{1297} y^9 z^{54}$, $x^{1301} y^{81} z^{10}$,
 $x^{1306} y^2 z^{58}$, $x^{1307} y^{20} z^{47}$, $x^{1308} y^{38} z^{36}$, $x^{1309} y^{56} z^{25}$, $x^{1316} y^{13} z^{51}$, $x^{1317} y^{31} z^{40}$, $x^{1319} y^{67} z^{18}$,
 $x^{1320} y^{85} z^7$, $x^{1325} y^6 z^{55}$, $x^{1329} y^{78} z^{11}$, $x^{1330} y^{96}$, $x^{1335} y^{17} z^{48}$, $x^{1337} y^{53} z^{26}$, $x^{1339} y^{89} z^4$,
 $x^{1345} y^{28} z^{41}$, $x^{1346} y^{46} z^{30}$, $x^{1347} y^{64} z^{19}$, $x^{1348} y^{82} z^8$, $x^{1353} y^3 z^{56}$, $x^{1358} y^{93} z$, $x^{1363} y^{14} z^{49}$,
 $x^{1364} y^{32} z^{38}$, $x^{1365} y^{50} z^{27}$, $x^{1367} y^{86} z^5$, $x^{1373} y^{25} z^{42}$, $x^{1375} y^{61} z^{20}$, $x^{1381} z^{57}$, $x^{1382} y^{18} z^{46}$,
 $x^{1391} y^{11} z^{50}$, $x^{1393} y^{47} z^{28}$, $x^{1400} y^4 z^{54}$, $x^{1401} y^{22} z^{43}$, $x^{1403} y^{58} z^{21}$, $x^{1410} y^{15} z^{47}$, $x^{1419} y^8 z^{51}$,
 $x^{1420} y^{26} z^{40}$, $x^{1421} y^{44} z^{29}$, $x^{1422} y^{62} z^{18}$, $x^{1428} y z^{55}$, $x^{1430} y^{37} z^{33}$, $x^{1431} y^{55} z^{22}$, $x^{1433} y^{91}$,
 $x^{1447} y^5 z^{52}$, $x^{1448} y^{23} z^{41}$, $x^{1459} y^{52} z^{23}$, $x^{1461} y^{88} z$, $x^{1468} y^{45} z^{27}$, $x^{1475} y^2 z^{53}$, $x^{1476} y^{20} z^{42}$,
 $x^{1485} y^{13} z^{46}$, $x^{1489} y^{85} z^2$, $x^{1496} y^{42} z^{28}$, $x^{1498} y^{78} z^6$, $x^{1506} y^{53} z^{21}$, $x^{1513} y^{10} z^{47}$, $x^{1514} y^{28} z^{36}$,
 $x^{1515} y^{46} z^{25}$, $x^{1517} y^{82} z^3$, $x^{1524} y^{39} z^{29}$, $x^{1526} y^{75} z^7$, $x^{1532} y^{14} z^{44}$, $x^{1542} y^{25} z^{37}$, $x^{1545} y^{79} z^4$,
 $x^{1550} z^{52}$, $x^{1561} y^{29} z^{34}$, $x^{1562} y^{47} z^{23}$, $x^{1564} y^{83} z$, $x^{1570} y^{22} z^{38}$, $x^{1573} y^{76} z^5$, $x^{1579} y^{15} z^{42}$,
 $x^{1581} y^{51} z^{20}$, $x^{1582} y^{69} z^9$, $x^{1589} y^{26} z^{35}$, $x^{1598} y^{19} z^{39}$, $x^{1600} y^{55} z^{17}$, $x^{1601} y^{73} z^6$, $x^{1607} y^{12} z^{43}$,
 $x^{1608} y^{30} z^{32}$, $x^{1609} y^{48} z^{21}$, $x^{1617} y^{23} z^{36}$, $x^{1620} y^{77} z^3$, $x^{1628} y^{52} z^{18}$, $x^{1629} y^{70} z^7$, $x^{1636} y^{27} z^{33}$,
 $x^{1637} y^{45} z^{22}$, $x^{1639} y^{81}$, $x^{1645} y^{20} z^{37}$, $x^{1646} y^{38} z^{26}$, $x^{1648} y^{74} z^4$, $x^{1655} y^{31} z^{30}$, $x^{1656} y^{49} z^{19}$,
 $x^{1665} y^{42} z^{23}$, $x^{1666} y^{60} z^{12}$, $x^{1667} y^{78} z$, $x^{1676} y^{71} z^5$, $x^{1682} y^{10} z^{42}$, $x^{1683} y^{28} z^{31}$, $x^{1695} y^{75} z^2$,
 $x^{1702} y^{32} z^{28}$, $x^{1704} y^{68} z^6$, $x^{1722} y^{54} z^{14}$, $x^{1723} y^{72} z^3$, $x^{1730} y^{29} z^{29}$, $x^{1732} y^{65} z^7$, $x^{1739} y^{22} z^{33}$,
 $x^{1742} y^{76}$, $x^{1748} y^{15} z^{37}$, $x^{1749} y^{33} z^{26}$, $x^{1750} y^{51} z^{15}$, $x^{1751} y^{69} z^4$, $x^{1760} y^{62} z^8$, $x^{1766} y z^{45}$,
 $x^{1768} y^{37} z^{23}$, $x^{1769} y^{55} z^{12}$, $x^{1777} y^{30} z^{27}$, $x^{1779} y^{66} z^5$, $x^{1785} y^5 z^{42}$, $x^{1788} y^{59} z^9$, $x^{1797} y^{52} z^{13}$,
 $x^{1798} y^{70} z^2$, $x^{1807} y^{63} z^6$, $x^{1813} y^2 z^{43}$, $x^{1814} y^{20} z^{32}$, $x^{1816} y^{56} z^{10}$, $x^{1823} y^{13} z^{36}$, $x^{1825} y^{49} z^{14}$,
 $x^{1826} y^{67} z^3$, $x^{1835} y^{60} z^7$, $x^{1843} y^{35} z^{22}$, $x^{1844} y^{53} z^{11}$, $x^{1845} y^{71}$, $x^{1851} y^{10} z^{37}$, $x^{1853} y^{46} z^{15}$,
 $x^{1862} y^{39} z^{19}$, $x^{1863} y^{57} z^8$, $x^{1871} y^{32} z^{23}$, $x^{1872} y^{50} z^{12}$, $x^{1873} y^{68} z$, $x^{1882} y^{61} z^5$, $x^{1888} z^{42}$,
 $x^{1891} y^{54} z^9$, $x^{1898} y^{11} z^{35}$, $x^{1900} y^{47} z^{13}$, $x^{1901} y^{65} z^2$, $x^{1918} y^{33} z^{21}$, $x^{1919} y^{51} z^{10}$, $x^{1928} y^{44} z^{14}$,
 $x^{1929} y^{62} z^3$, $x^{1935} y z^{40}$, $x^{1946} y^{30} z^{22}$, $x^{1947} y^{48} z^{11}$, $x^{1954} y^5 z^{37}$, $x^{1956} y^{41} z^{15}$, $x^{1957} y^{59} z^4$,
 $x^{1973} y^9 z^{34}$, $x^{1982} y^2 z^{38}$, $x^{1984} y^{38} z^{16}$, $x^{1985} y^{56} z^5$, $x^{1992} y^{13} z^{31}$, $x^{1993} y^{31} z^{20}$, $x^{1994} y^{49} z^9$,
 $x^{2001} y^6 z^{35}$, $x^{2011} y^{17} z^{28}$, $x^{2021} y^{28} z^{21}$, $x^{2029} y^3 z^{36}$, $x^{2030} y^{21} z^{25}$, $x^{2032} y^{57} z^3$, $x^{2039} y^{14} z^{29}$,
 $x^{2050} y^{43} z^{11}$, $x^{2057} z^{37}$, $x^{2068} y^{29} z^{19}$, $x^{2069} y^{47} z^8$, $x^{2087} y^{33} z^{16}$, $x^{2096} y^{26} z^{20}$, $x^{2097} y^{44} z^9$,
 $x^{2104} y z^{35}$, $x^{2105} y^{19} z^{24}$, $x^{2107} y^{55} z^2$, $x^{2116} y^{48} z^6$, $x^{2123} y^5 z^{32}$, $x^{2133} y^{16} z^{25}$, $x^{2135} y^{52} z^3$,
 $x^{2143} y^{27} z^{18}$, $x^{2144} y^{45} z^7$, $x^{2151} y^2 z^{33}$, $x^{2161} y^{13} z^{26}$, $x^{2163} y^{49} z^4$, $x^{2170} y^6 z^{30}$, $x^{2171} y^{24} z^{19}$,
 $x^{2172} y^{42} z^8$, $x^{2189} y^{10} z^{27}$, $x^{2191} y^{46} z^5$, $x^{2199} y^{21} z^{20}$, $x^{2210} y^{50} z^2$, $x^{2217} y^7 z^{28}$, $x^{2226} z^{32}$,
 $x^{2227} y^{18} z^{21}$, $x^{2245} y^4 z^{29}$, $x^{2246} y^{22} z^{18}$, $x^{2255} y^{15} z^{22}$, $x^{2257} y^{51}$, $x^{2266} y^{44} z^4$, $x^{2283} y^{12} z^{23}$,

$$\begin{aligned}
& x^{2285} y^{48} z, x^{2292} y^5 z^{27}, x^{2313} y^{45} z^2, x^{2320} y^2 z^{28}, x^{2330} y^{13} z^{21}, x^{2341} y^{42} z^3, x^{2349} y^{17} z^{18}, \\
& x^{2350} y^{35} z^7, x^{2360} y^{46}, x^{2367} y^3 z^{26}, x^{2368} y^{21} z^{15}, x^{2377} y^{14} z^{19}, x^{2387} y^{25} z^{12}, x^{2388} y^{43} z, x^{2395} z^{27}, \\
& x^{2396} y^{18} z^{16}, x^{2405} y^{11} z^{20}, x^{2414} y^4 z^{24}, x^{2415} y^{22} z^{13}, x^{2416} y^{40} z^2, x^{2425} y^{33} z^6, x^{2433} y^8 z^{21}, \\
& x^{2442} y z^{25}, x^{2453} y^{30} z^7, x^{2463} y^{41}, x^{2480} y^9 z^{19}, x^{2481} y^{27} z^8, x^{2490} y^{20} z^{12}, x^{2491} y^{38} z, x^{2500} y^{31} z^5, \\
& x^{2509} y^{24} z^9, x^{2528} y^{28} z^6, x^{2537} y^{21} z^{10}, x^{2555} y^7 z^{18}, x^{2556} y^{25} z^7, x^{2564} z^{22}, x^{2565} y^{18} z^{11}, \\
& x^{2566} y^{36}, x^{2574} y^{11} z^{15}, x^{2583} y^4 z^{19}, x^{2584} y^{22} z^8, x^{2612} y^{19} z^9, x^{2640} y^{16} z^{10}, x^{2649} y^9 z^{14}, \\
& x^{2650} y^{27} z^3, x^{2658} y^2 z^{18}, x^{2669} y^{31}, x^{2677} y^6 z^{15}, x^{2687} y^{17} z^8, x^{2697} y^{28} z, x^{2705} y^3 z^{16}, x^{2725} y^{25} z^2, \\
& x^{2733} z^{17}, x^{2743} y^{11} z^{10}, x^{2752} y^4 z^{14}, x^{2753} y^{22} z^3, x^{2762} y^{15} z^7, x^{2771} y^8 z^{11}, x^{2780} y z^{15}, \\
& x^{2781} y^{19} z^4, x^{2790} y^{12} z^8, x^{2799} y^5 z^{12}, x^{2800} y^{23} z, x^{2809} y^{16} z^5, x^{2827} y^2 z^{13}, x^{2828} y^{20} z^2, \\
& x^{2837} y^{13} z^6, x^{2856} y^{17} z^3, x^{2865} y^{10} z^7, x^{2874} y^3 z^{11}, x^{2893} y^7 z^8, x^{2902} z^{12}, x^{2921} y^4 z^9, x^{2968} y^5 z^7, \\
& x^{3006} y^{13} z, x^{3043} y^3 z^6, x^{3062} y^7 z^3, x^{3071} z^7, x^{3090} y^4 z^4, x^{3118} y z^5, x^{3240} z^2, x^{3287} y \} \}
\end{aligned}$$